

## Abstract

Parallel and distributed algorithms have become a necessity in modern machine learning tasks. In this work, we focus on parallel asynchronous gradient descent and propose a zealous variant that minimizes the idle time of processors to achieve a substantial speedup. We then experimentally study this algorithm in the context of training a restricted Boltzmann machine on a large collaborative filtering task.

## Mini-batch gradient descent

Minimize  $\mathbb{E}_{\mathbf{z}}[C(\theta, \mathbf{z})]$  where  $C$  is some (typically convex) cost function and the expectation is computed over training points  $\mathbf{z}$ . In mini-batch gradient descent, this is achieved using the update rule

$$\theta_{k+1} \leftarrow \theta_k - \alpha \sum_{t=s_k}^{s_k+b} \frac{\partial C(\theta_k, z_t)}{\partial \theta}$$

where  $\alpha$  is some learning rate and  $b$  is the number of training points in a mini-batch.

## Asynchronous mini-batch gradient descent

### Parallel mini-batch gradient descent with shared memory [1, 2, 3]:

- Store  $\theta$  in shared memory.
- Have multiple processors process asynchronously and independently multiple mini-batches.
- Update  $\theta$  in mutual exclusion using a synchronization lock.

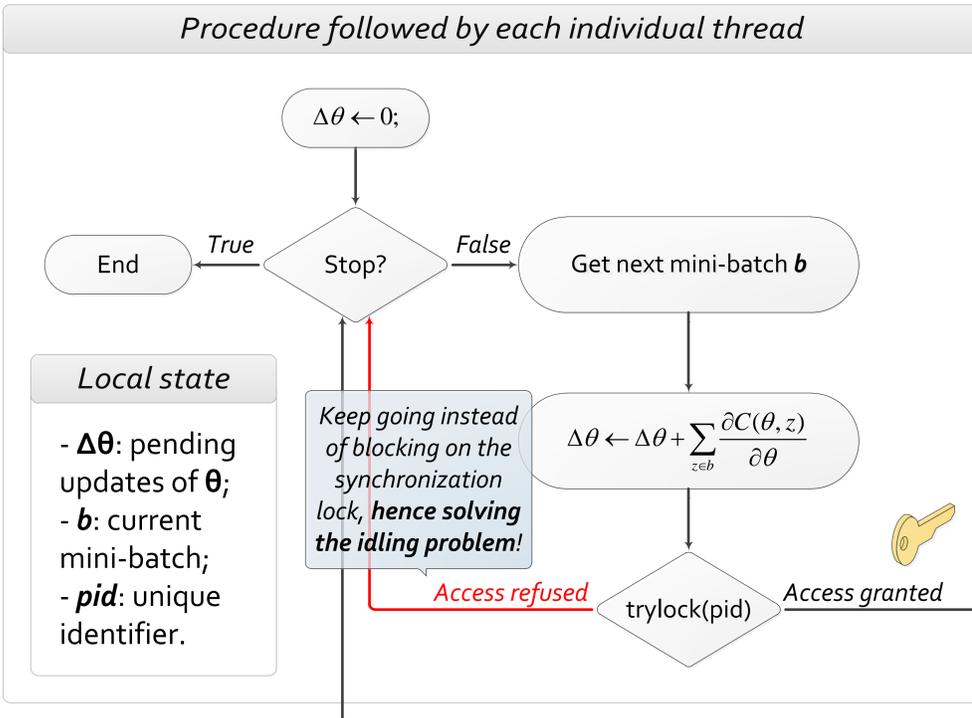
### Drawbacks:

- ✗ Some delay might occur between the time gradient components are computed and the time they are eventually used to update  $\theta$ . Hence, processors might use stale parameters that do not take into account the very last updates. Yet, [1, 4] showed that convergence is still guaranteed under some conditions.
- ✗ Contention might appear on the synchronization lock, hence causing the processors to queue and idle. This is likely to happen when updating  $\theta$  takes a non-negligible amount of time or as the number of processors increases.

*This is what we address in this work.*

## Zealous parallel gradient descent algorithm

### Procedure followed by each individual thread



### Local state

- $\Delta\theta$ : pending updates of  $\theta$ ;
- $b$ : current mini-batch;
- $pid$ : unique identifier.

### Global state

- $\theta$ : vector of parameters of the model;
- $next$ : pid of the next thread allowed to update  $\theta$ ;
- $counter$ : array of integers, such that  $counter[i]$  corresponds to the number of pending updates of thread  $i$ .

### Policy functions

```
function trylock(pid)
  counter[pid]++;
  return next == pid;
end
function next(pid)
  counter[pid] ← 0;
  next ← arg max(counter)
end
```

### Critical section

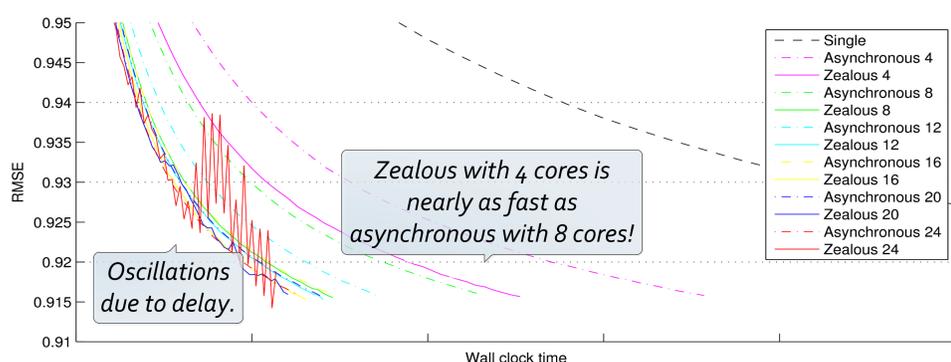
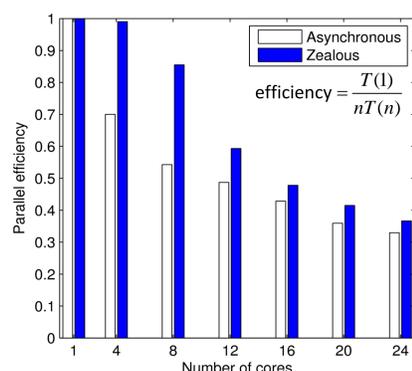
```
 $\theta \leftarrow \theta - \alpha \Delta\theta;$ 
 $\Delta\theta \leftarrow 0;$ 
```

```
next(pid);
```

## Experimental results

### Setting

- Train a restricted Boltzmann machine on a large collaborative filtering task [3, 5].
- $\theta$  counts 10M+ of values, hence executing the critical section takes a fair amount of time.
- Experiments carried out on a dedicated 24-core machine.



## Conclusions and future work

- ✓ Significant speedup over the asynchronous parallel gradient descent algorithm.  
Future work: corroborate the results obtained in this work with more thorough experiments.
- ✗ Updates of  $\theta$  may become too much delayed if the number of cores becomes too large, which can impair convergence.  
Future work: Explore strategies to counter the effects of delay. Derive theoretical guarantees on the convergence of the algorithm.

## References and acknowledgements

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