



Gravitational lensing: A Swiss knife to dissect galaxies !

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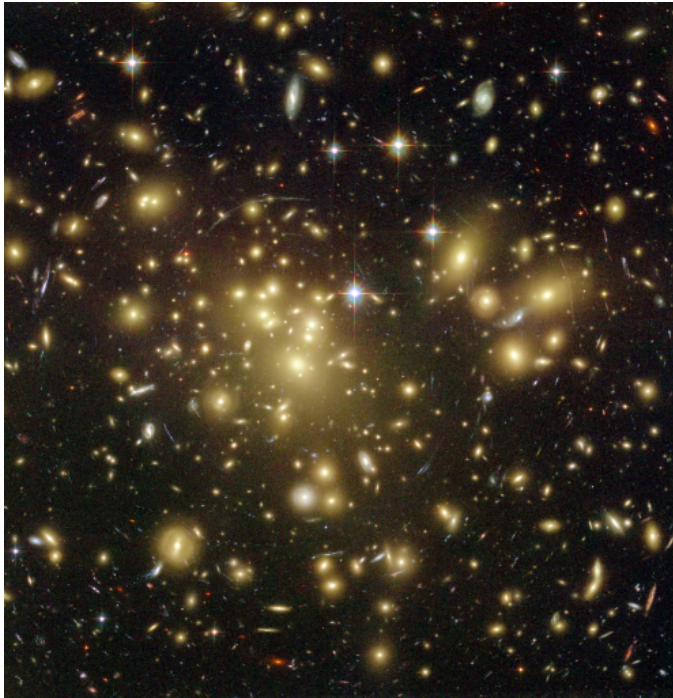
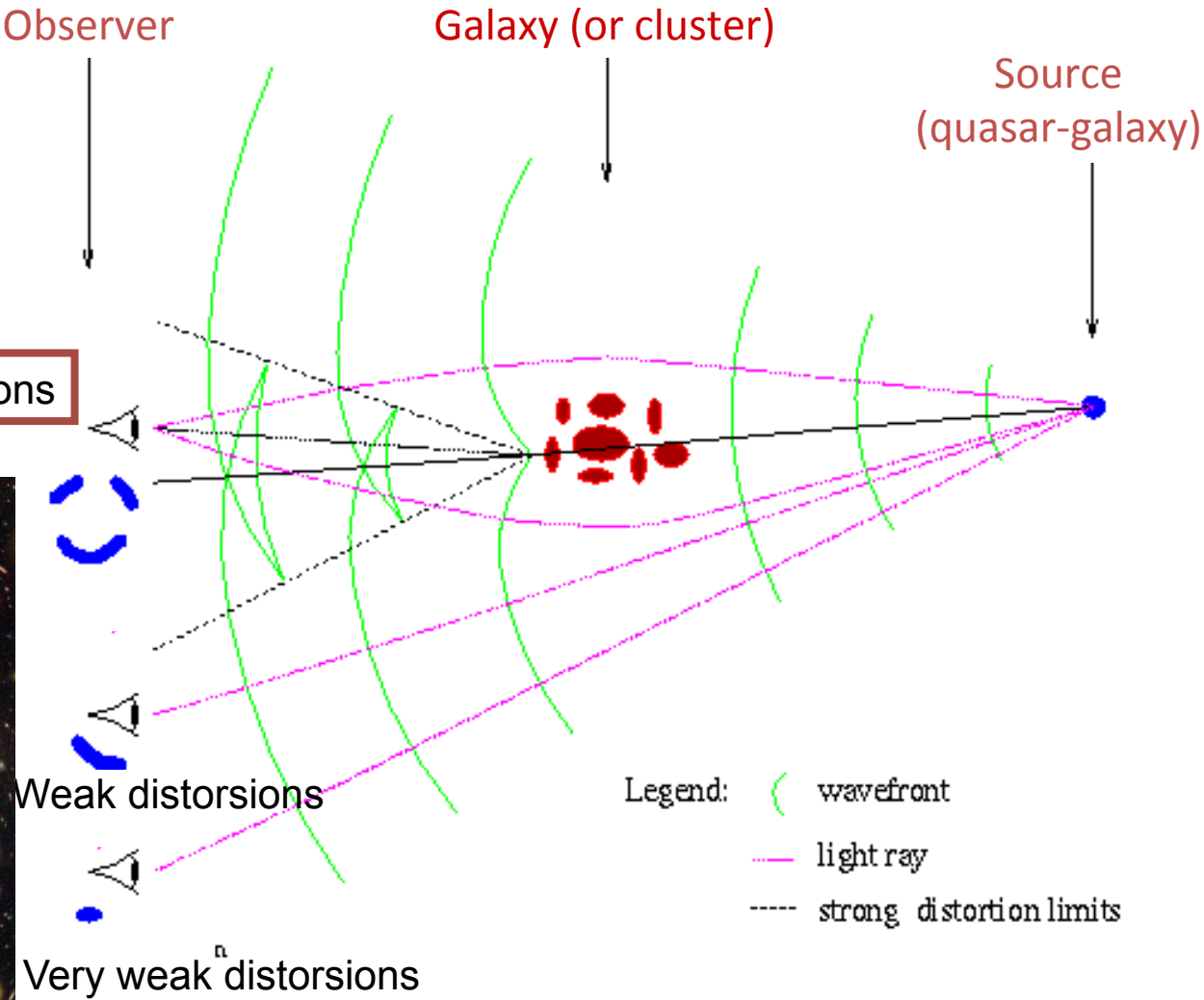
P. Schneider, M. Tewes, O. Wucknitz (AlfA, Uni. Bonn, MPIfR)

...

Gravitational lensing: overview

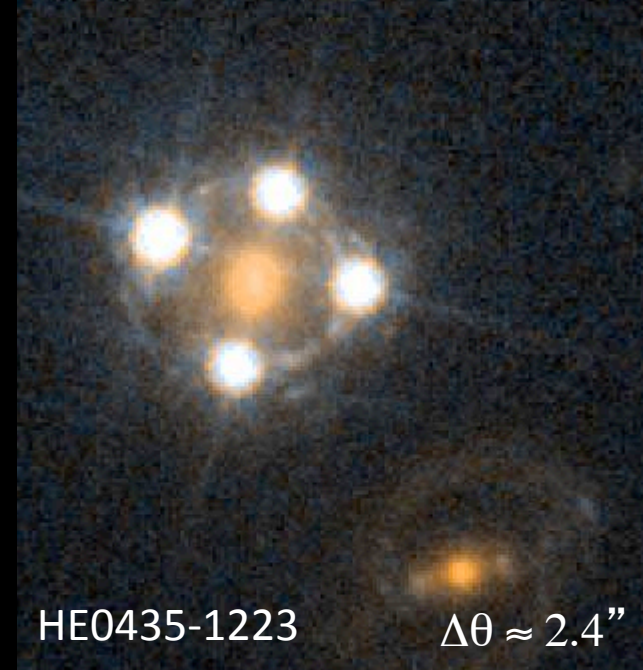
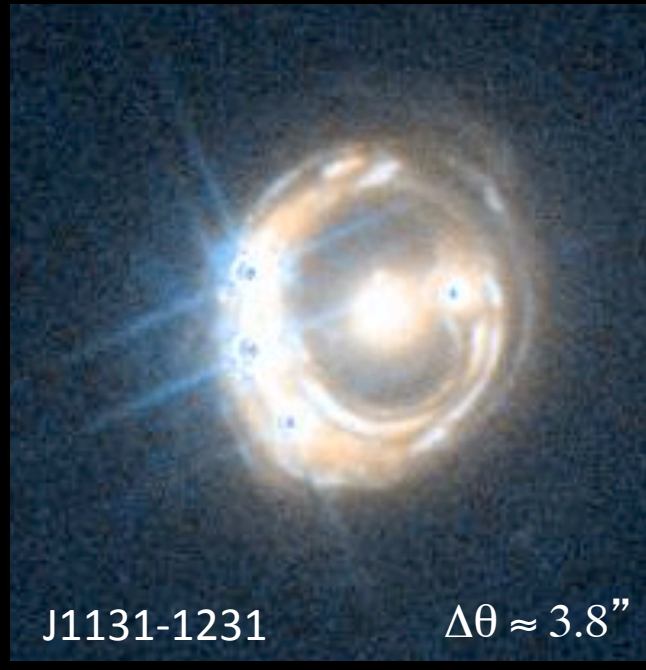


Strong distortions



Weighing galaxies

Einstein radius $\theta_E = \sqrt{\frac{4GM}{c^2} \frac{D_{LS}}{D_L D_S}}$ = about half of the image separation $\Delta\theta$



About 130 lensed quasars since 1979, with $R_E = \theta_E/D_{OL} \sim 5-10$ kpc

Dissecting galaxies with strong gravitational lensing

Measurable quantities

Dependence on the gravitational potential ψ

Time-delay:

$$\tau(\vec{\theta}) = \frac{1}{2}(\vec{\theta} - \vec{\theta}_S)^2 - \psi_{2D}(\vec{\theta}).$$

Geometry
 ψ

Deflection :
(image position)

$$\nabla_{\vec{\theta}} \tau(\vec{\theta}) = 0 \Leftrightarrow (\vec{\theta} - \vec{\theta}_S) = \nabla_{\vec{\theta}} \psi_{2D}(\vec{\theta}) = \vec{\alpha}'(\theta).$$

$\nabla \psi$

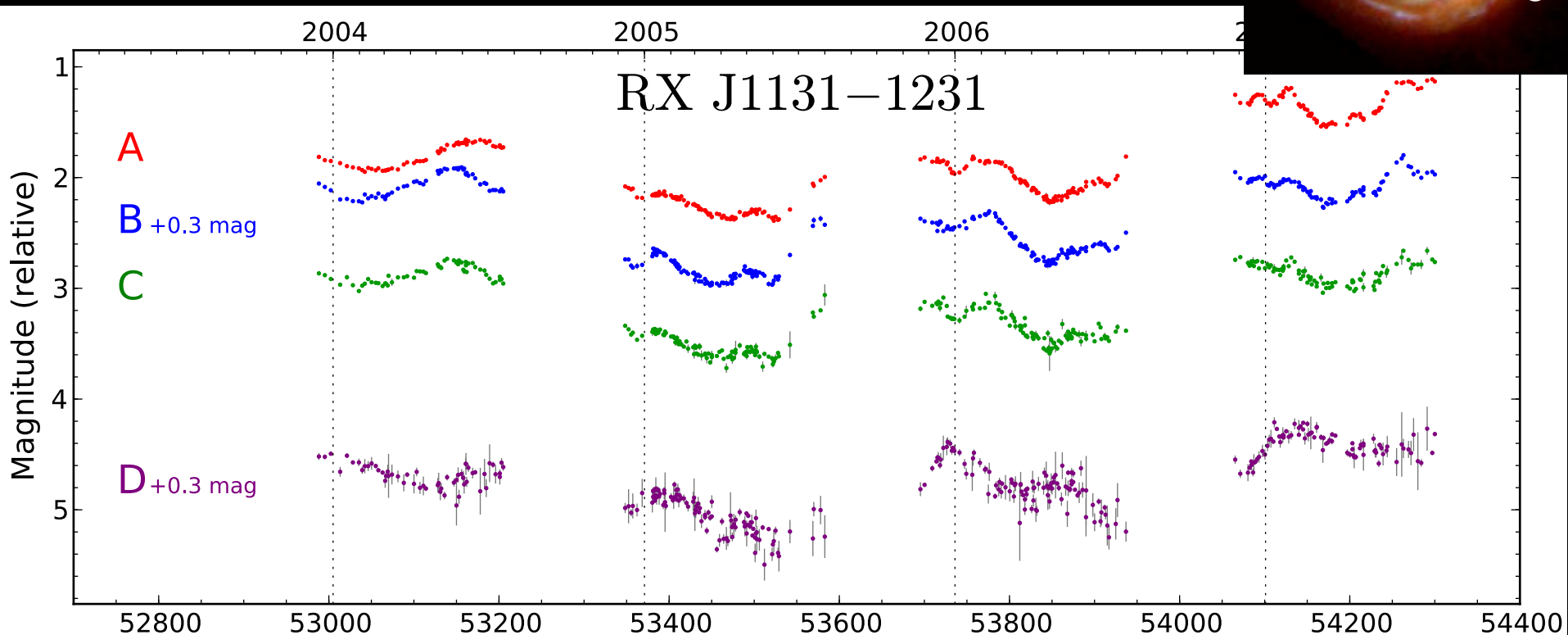
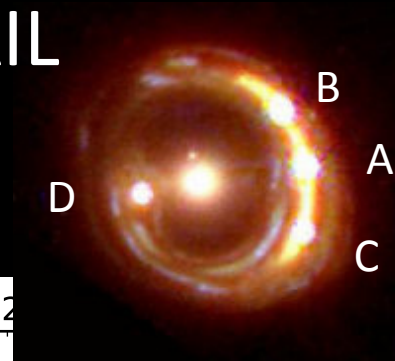
Magnification:

$$\mathbf{M}^{-1} \equiv \frac{\partial \vec{\theta}_S}{\partial \vec{\theta}} \equiv \nabla \nabla_{\vec{\theta}} \tau(\vec{\theta}) \equiv \begin{pmatrix} 1 - \frac{\partial^2 \psi}{\partial \theta_x^2} & -\frac{\partial^2 \psi}{\partial \theta_x \partial \theta_y} \\ -\frac{\partial^2 \psi}{\partial \theta_x \partial \theta_y} & 1 - \frac{\partial^2 \psi}{\partial \theta_y^2} \end{pmatrix}$$

$\nabla \nabla \psi$

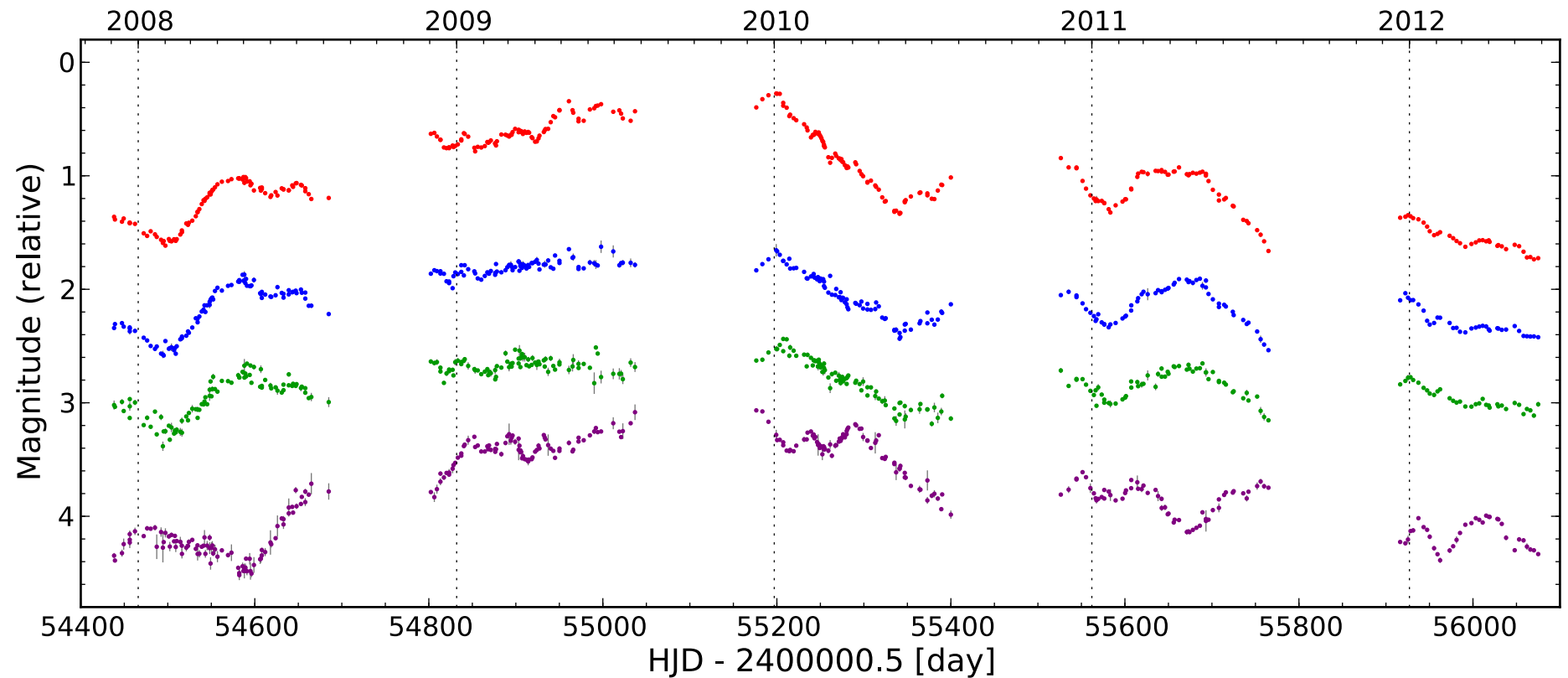
Example of lightcurve and time-delay measurement with COSMOGRAIL

How do we **measure** time-delays ? With which **accuracy** ?



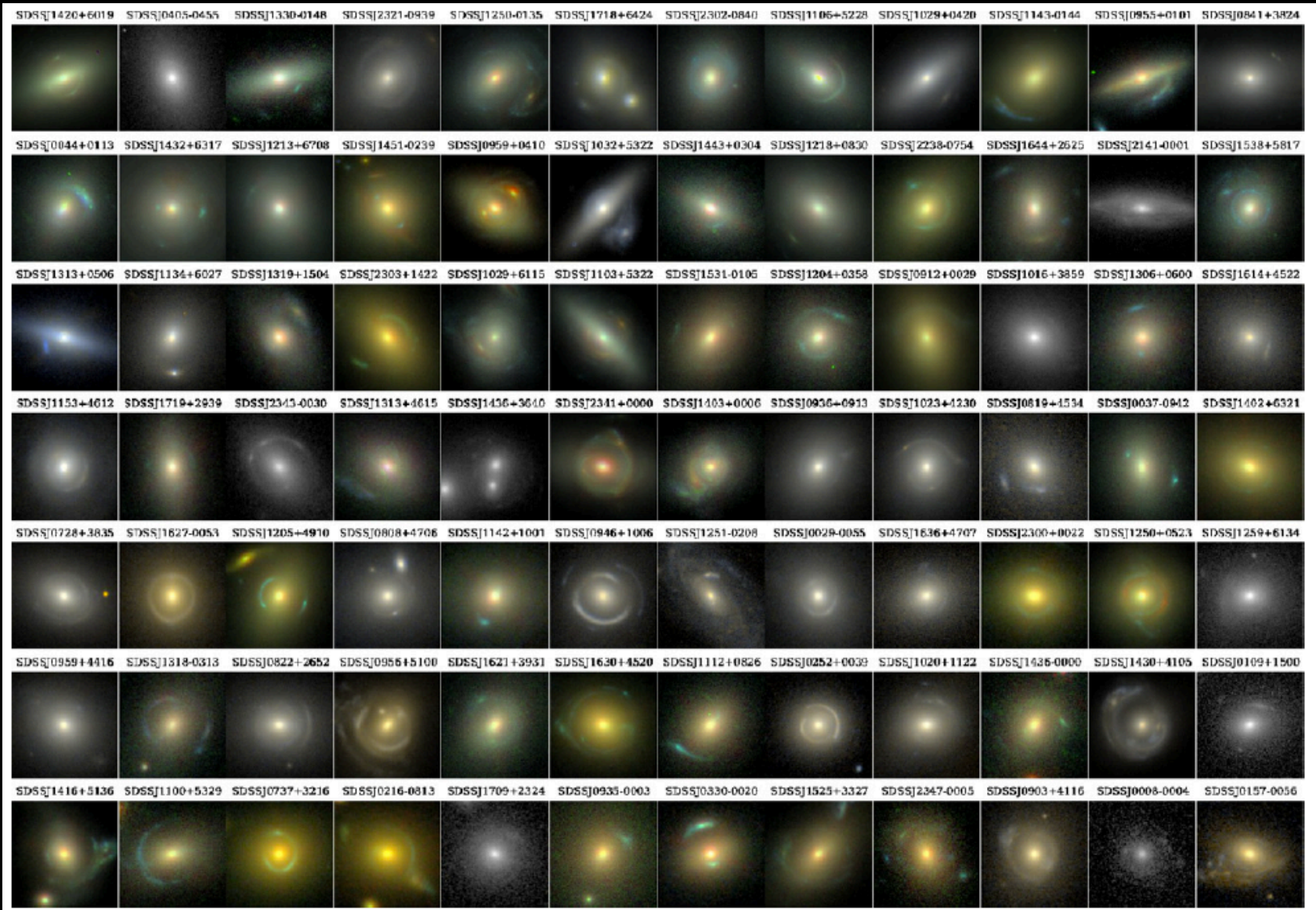
COSMOGRAIL = 30 systems currently monitored with 1m-class telescope

Example of lightcurve for time-delay measurement with COSMOGRAIL



5-10 years lightcurves lead to delays with 2-3% accuracy
LSST should provide measurements for 1000s of systems

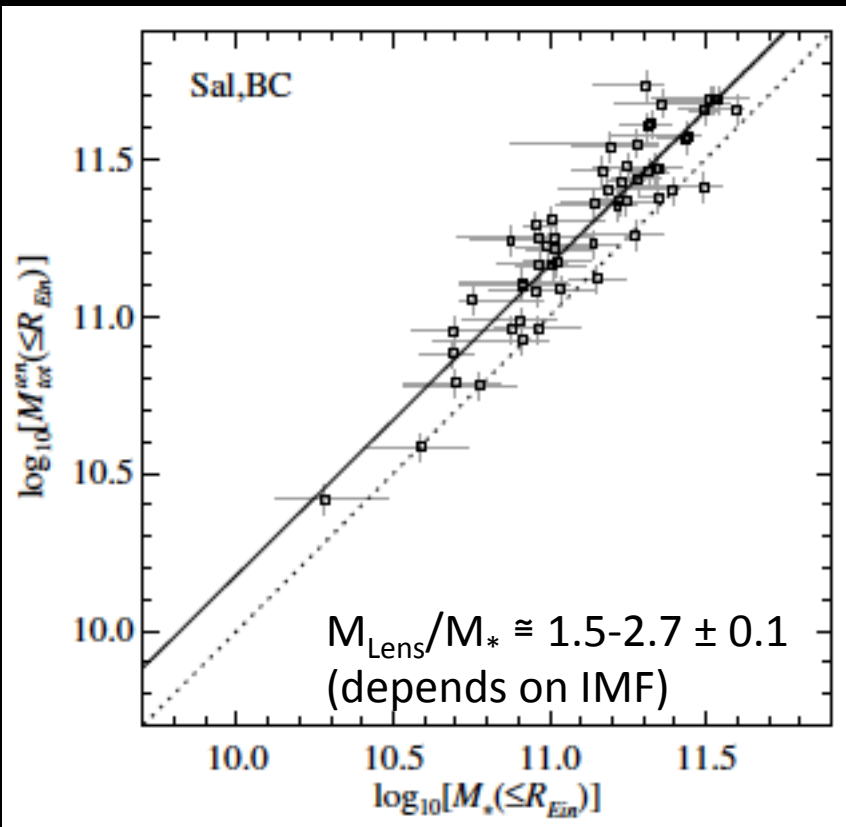
Galaxies lensing galaxies: Sloan Lens ACS survey (SLACS)



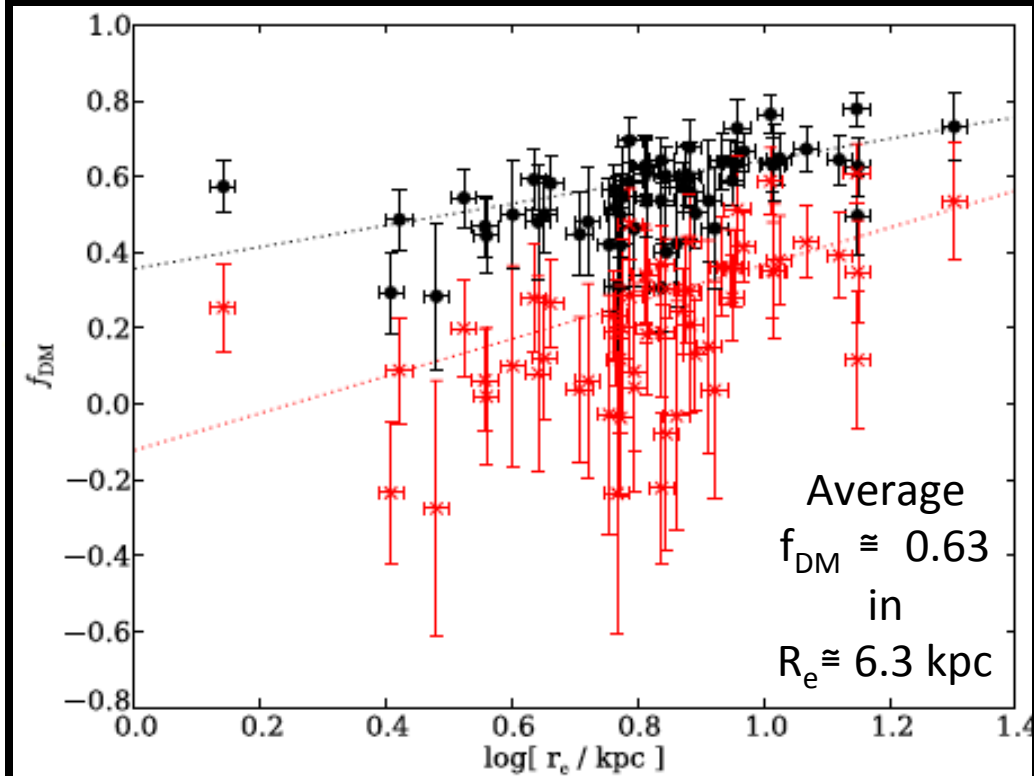
Combining strong lensing with stellar mass

Stellar mass M_* from Stellar Population Synthesis Model (SPS) + M_{tot} from lensing
 $\Rightarrow f_{\text{DM}}, Y = M/L$

Lens vs Stellar masses in 57 SLACS lenses
(dotted : $M_L = M_*$)

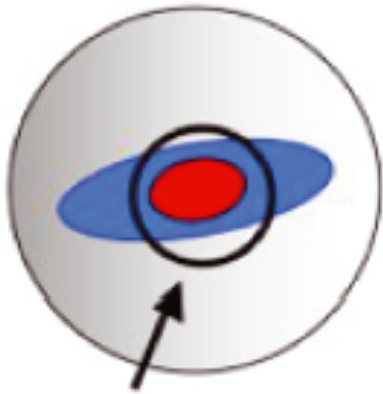


$f_{\text{DM}} (< r_e)$ for SLACS lenses
Salpeter (red)– Chabrier (black) IMF



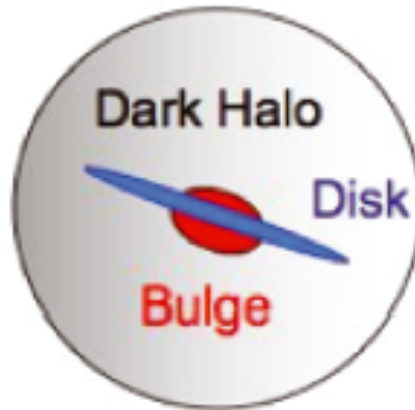
Combining strong lensing mass and dynamical mass

Observers View

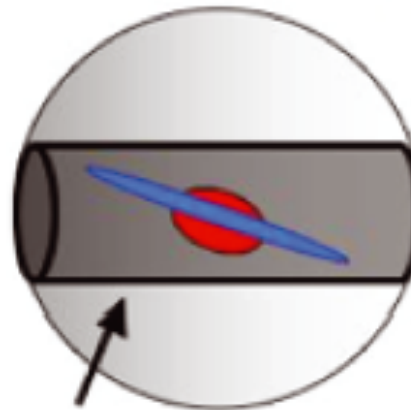


Einstein Radius

Side View

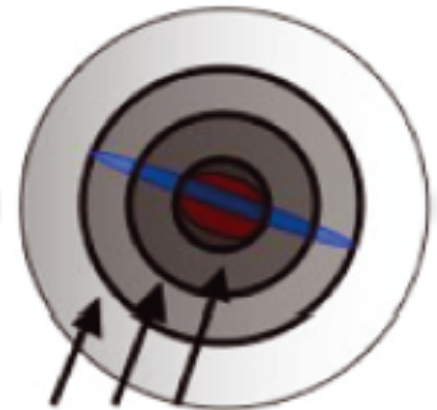


Strong Lensing



Projected Mass

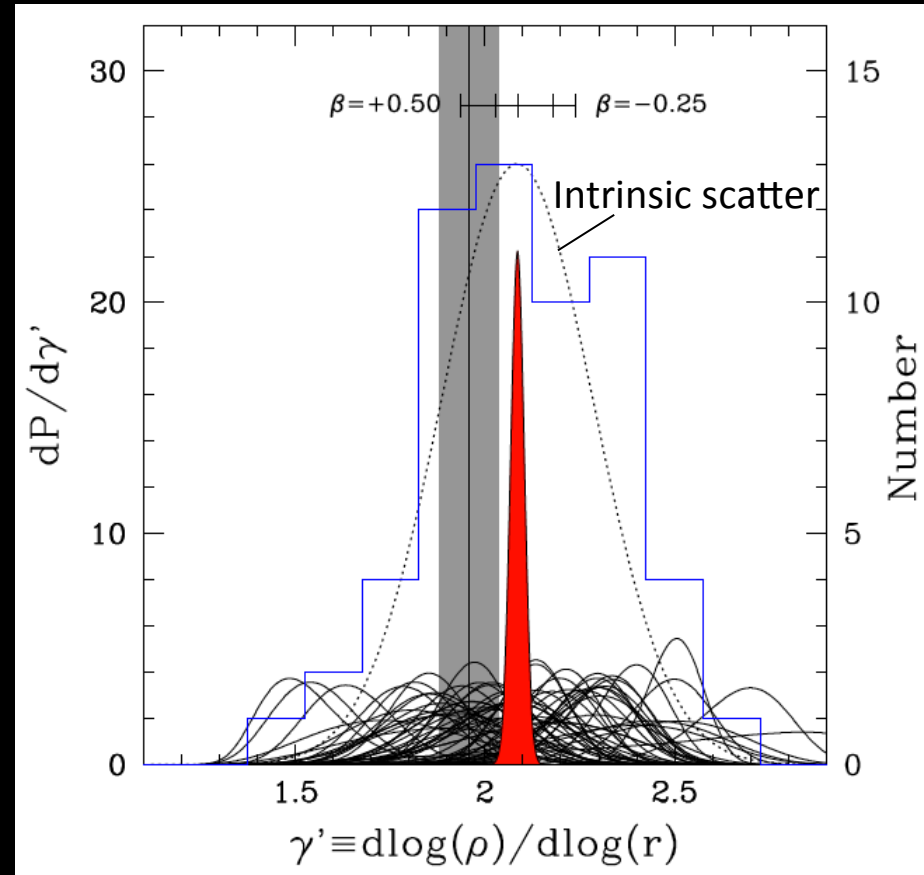
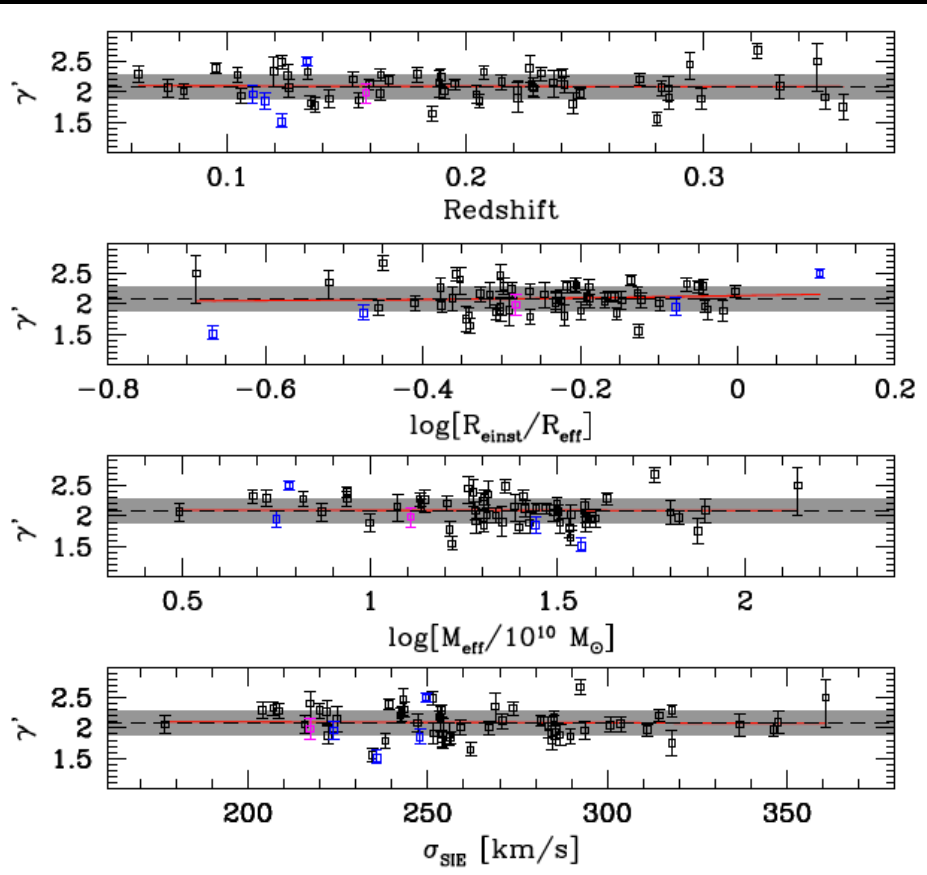
Kinematics



Enclosed Mass

Dynamical mass M_{dyn} within R_{eff} and strong lensing mass $M(<R_E)$
=> slope γ of the density profile

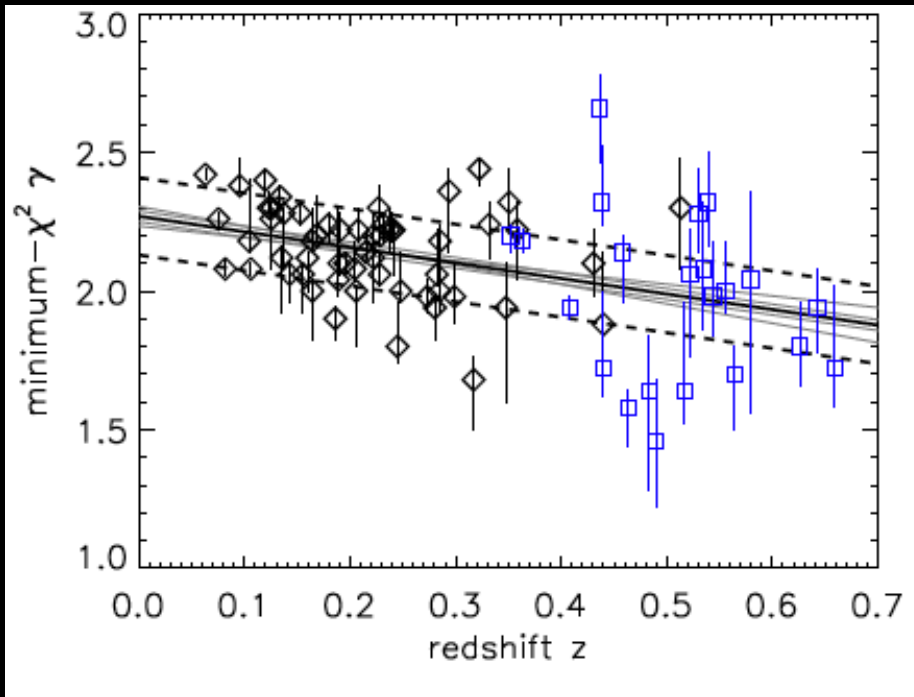
Combining strong lensing mass and dynamical mass



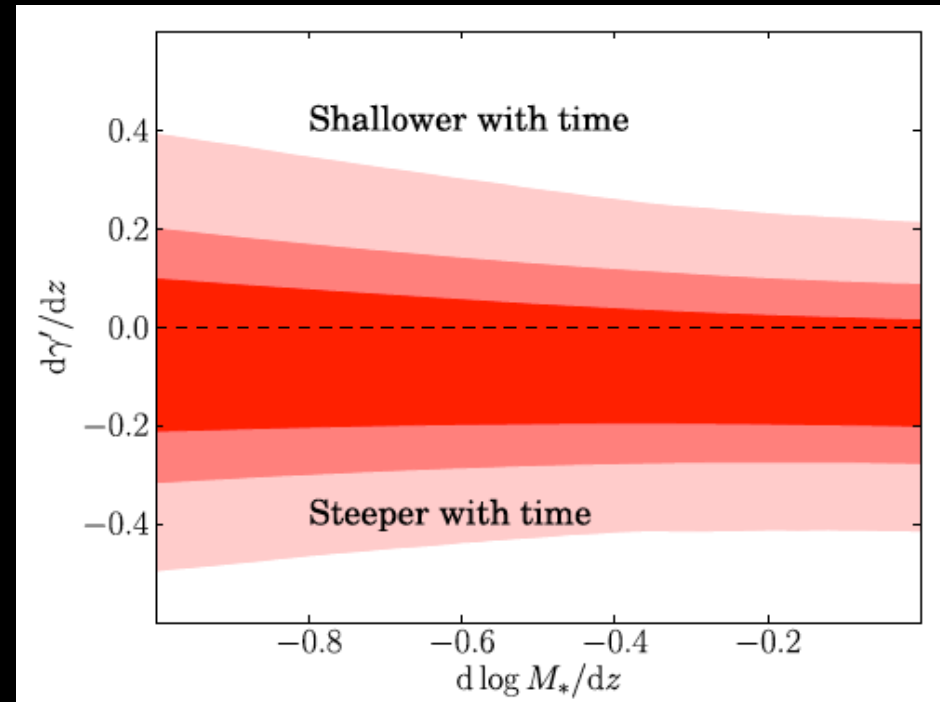
$$\gamma = 2.085 \pm 0.025 (\text{rand}) \pm 0.1 (\text{sys})$$

Combining strong lensing mass and dynamical mass

SLACS – BELLS – SL2S samples



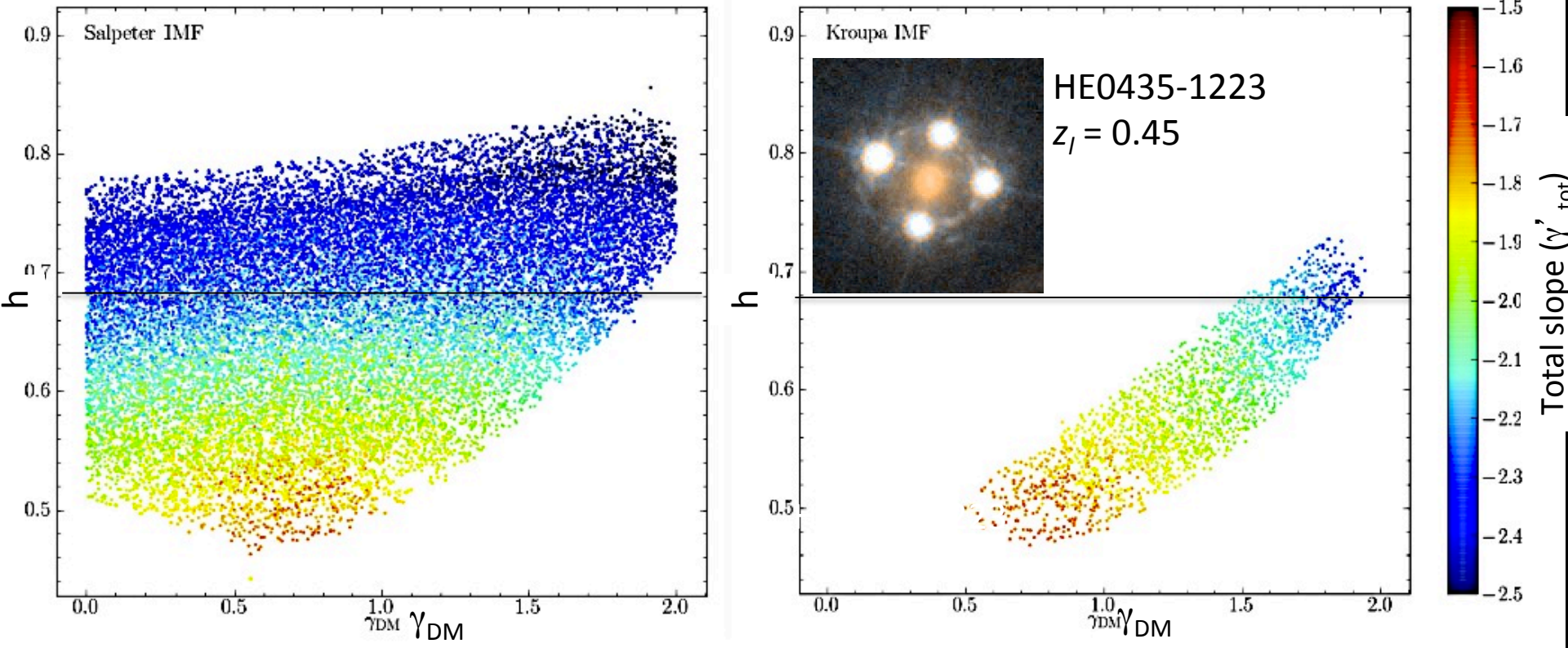
Bolton+ 2012, ApJ, 757, 82



Sonnenfeld+ 2013, ApJ, 777, 98

Apparent evolution of the mean slope γ' with redshift (steeper profiles recently)
BUT this also reflects a change of stellar density and stellar mass: galaxies grow in M_* but decrease in Σ_* from $z = 1$ to 0, while preserving γ' .

Slope from single object with time-delay



In concordance cosmology, $\gamma' = 2.1 \pm 0.1$, while γ_{DM} depends more of the IMF

Mass-Sheet Transformation (MST)

$$\kappa_\lambda(\theta) = \lambda\kappa(\theta) + (1 - \lambda)$$

Source position: $\beta \rightarrow \lambda\beta$

Delay: $H_0\Delta t \rightarrow \lambda H_0\Delta t$

Magnification: $\mu \rightarrow \mu / \lambda^2$

$$\psi_\lambda(\theta) = \frac{1-\lambda}{2}|\theta|^2 + \lambda\psi(\theta)$$

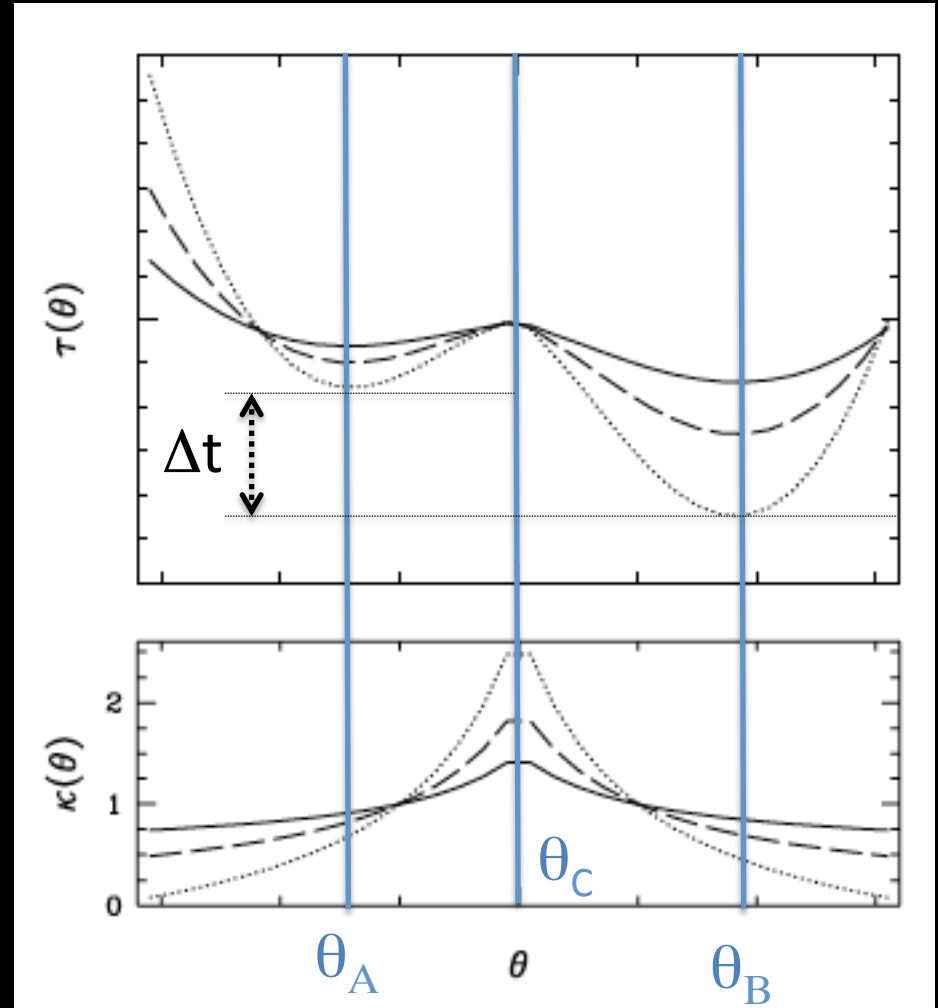
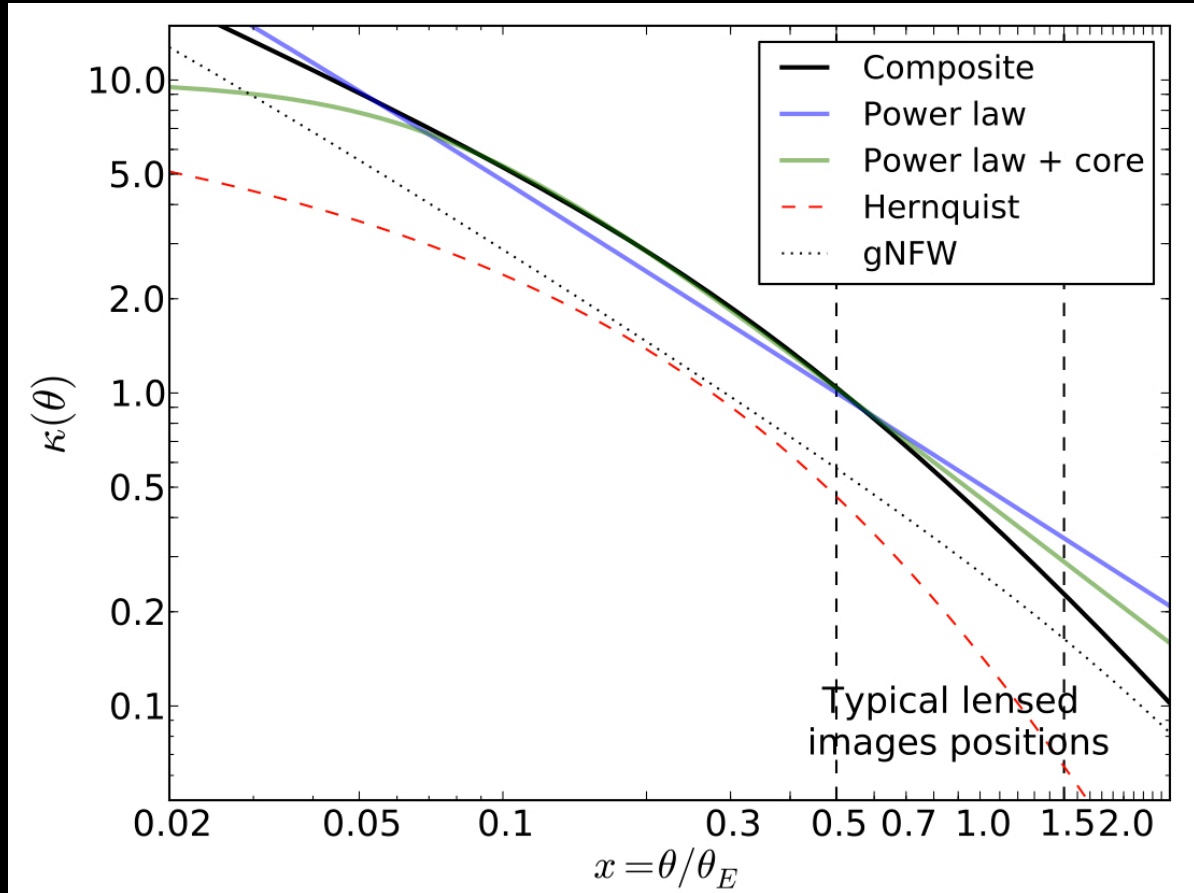


Illustration of the MST at work



DM + Baryons (=Composite) is close to PL and can be transformed into PL via a MST

Δt breaks the MST !

Testing density profile with Illustris simulations

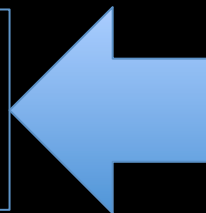
Illustris Project



- Box size: $(106.5 \text{ Mpc})^3$
- Mass resolution: $6.26 \times 10^6 M_{\odot}$
- Gravitational softening length 710 pc; hydrodynamical element size of 48 pc
- Resolve 40 000 galaxies with a variety of morphologies and reproduce LF, TF relations etc.

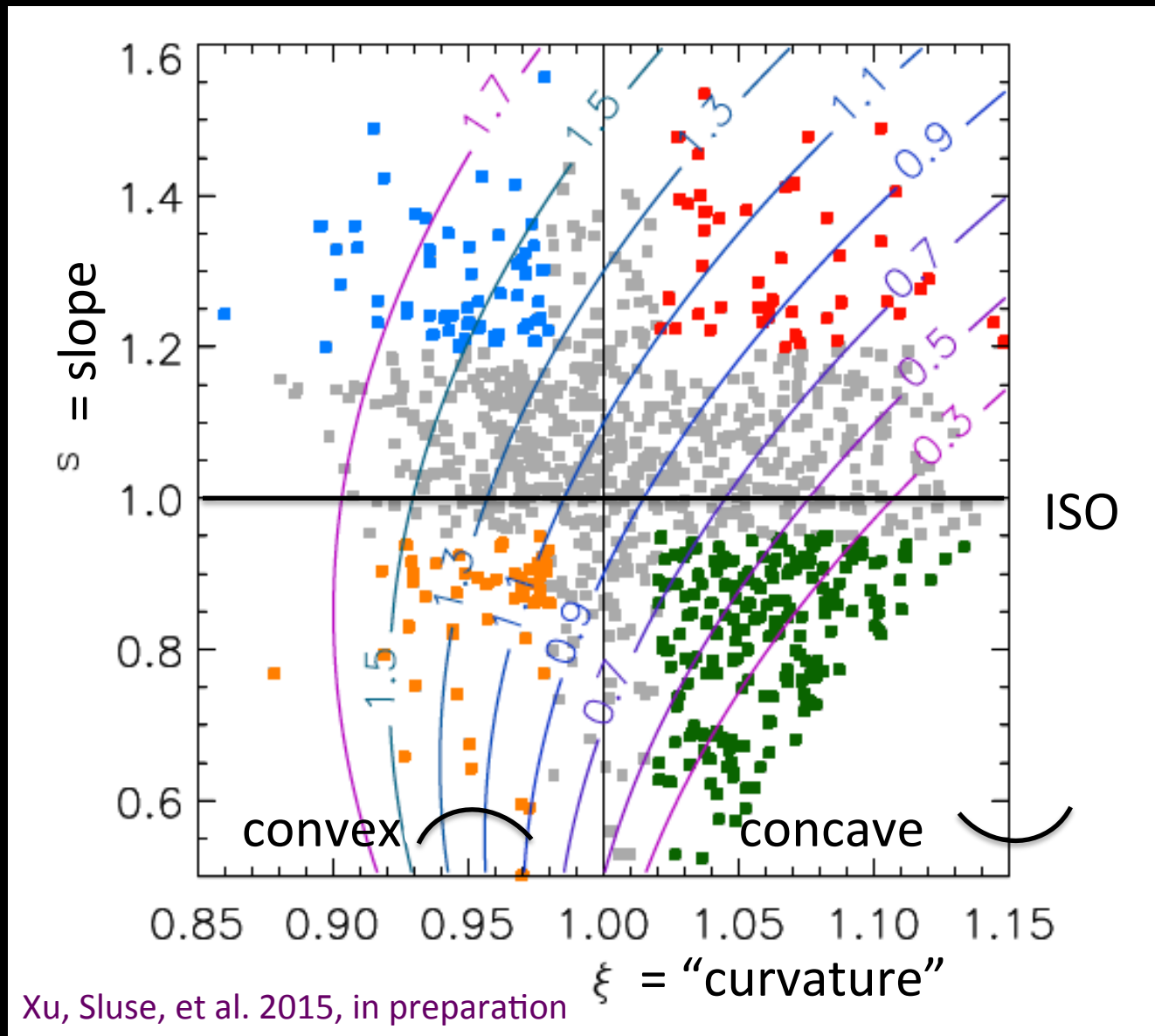


**Mock Illustris
lensing systems**



Illustris Lensing catalogue:
Einstein radius, dark matter fraction, 2D and 3D logarithmic slopes, effective radius, ellipticity, RA, l.o.s. stellar velocity dispersion, anisotropic parameter, dark halo mass, stellar mass etc.

Testing the PL model with Illustris simulations

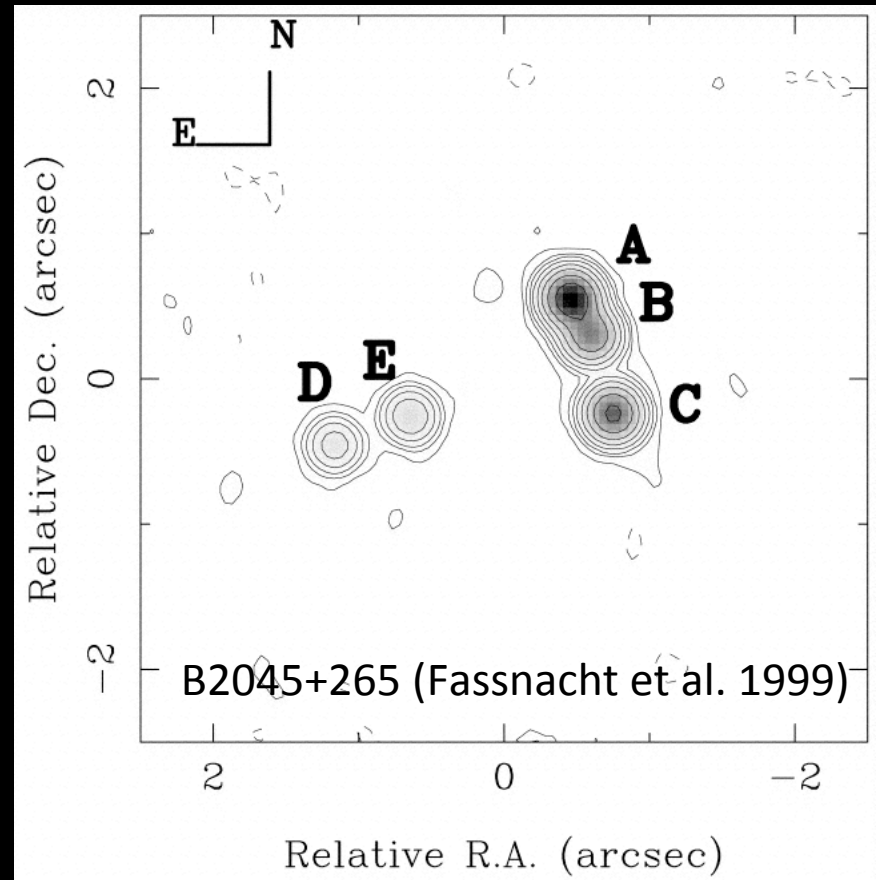
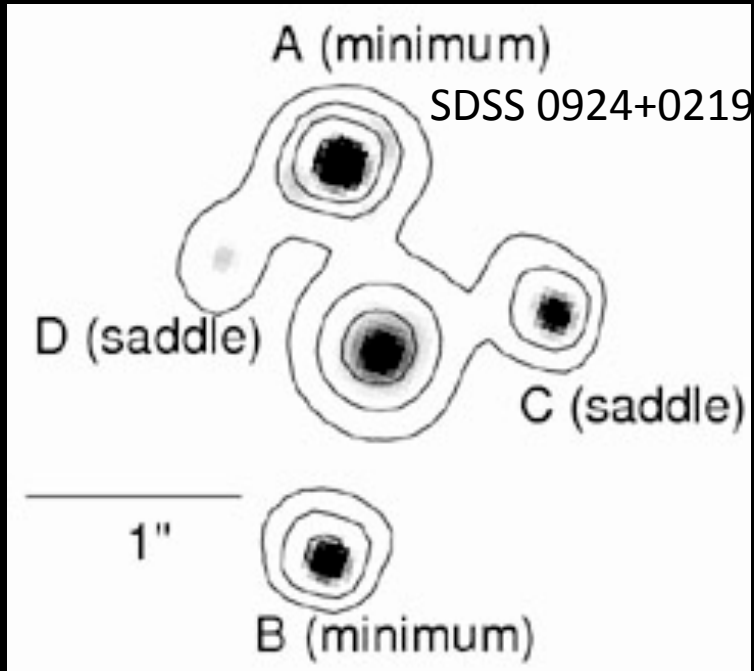


Xu, Sluse, et al. 2015, in preparation

$z_l = 0.2$
 $z_s = 1.5$

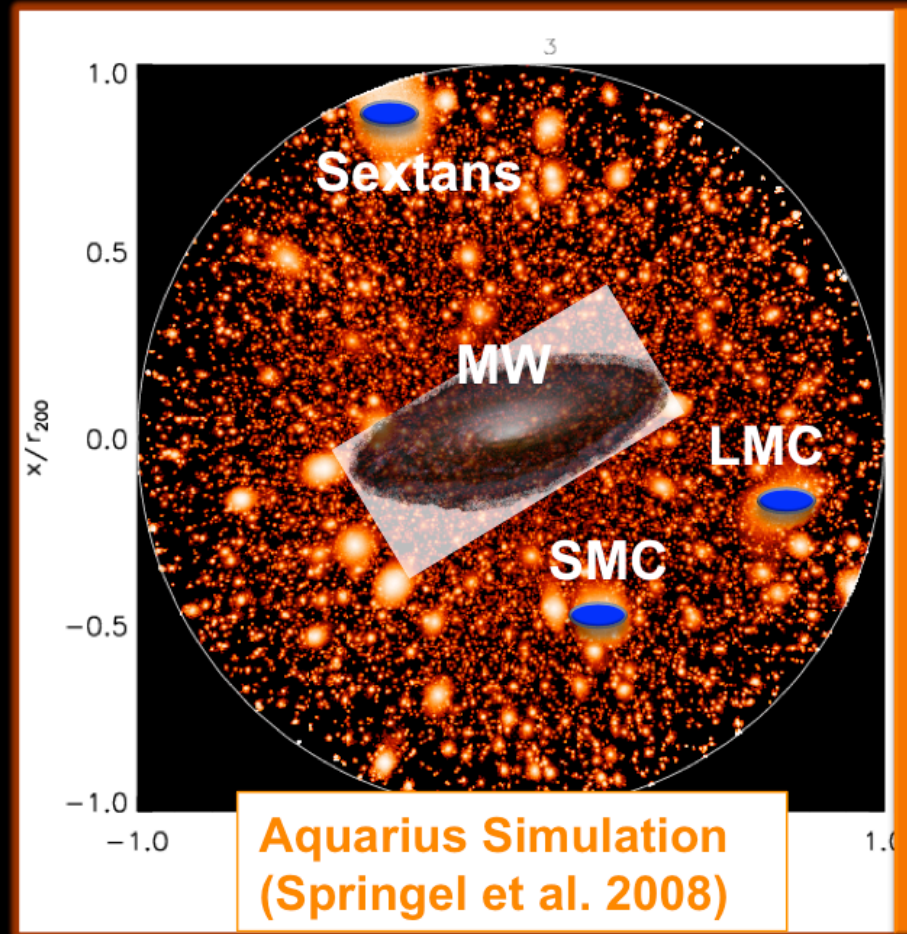
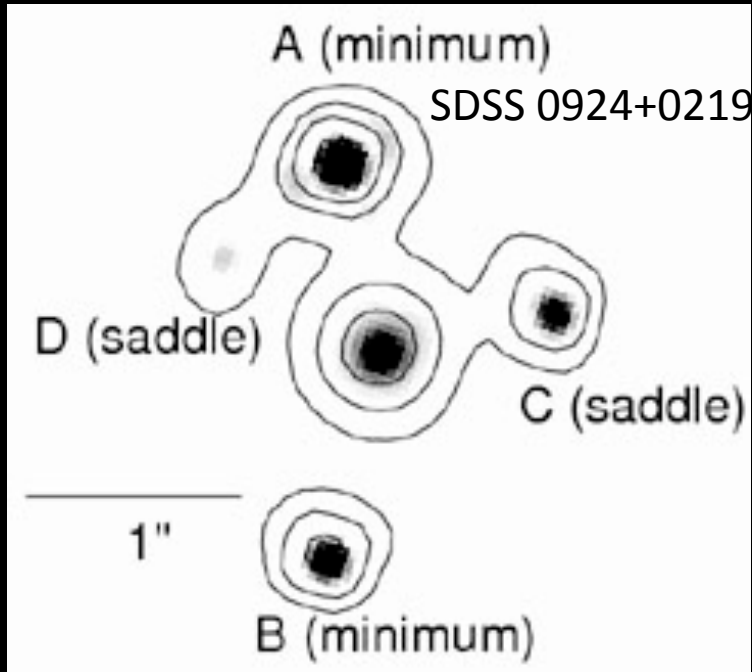
Flux ratio

in lensed quasars



Flux ratio anomalies in lensed quasars

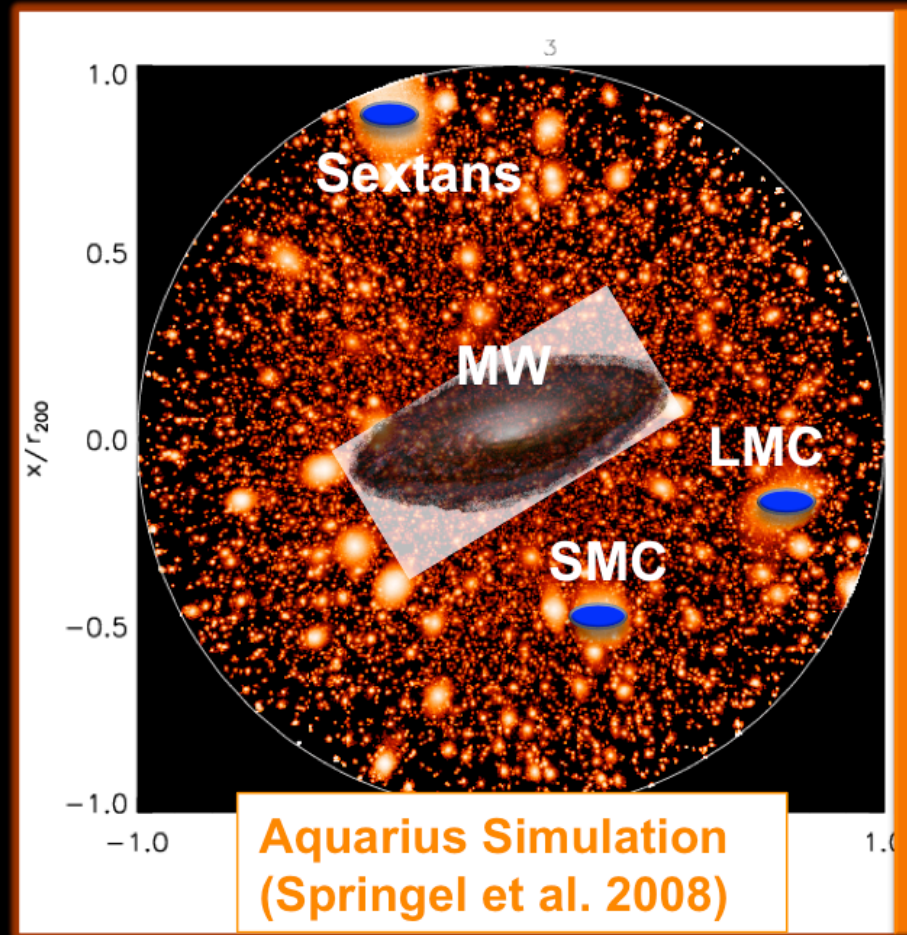
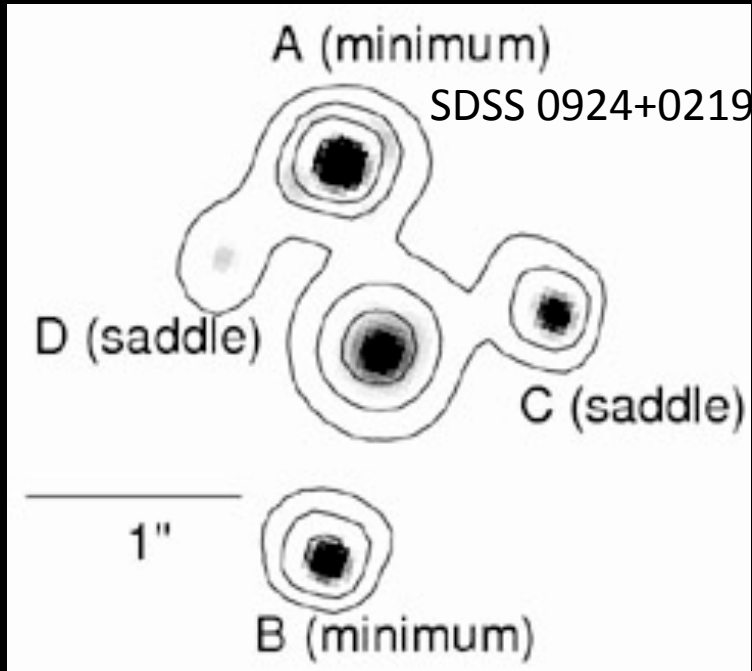
Dark matter substructures



How frequently the flux ratio anomaly happens reflects how abundant the dark matter substructures are in the lens galaxy and its host dark halo

Flux ratio anomalies in lensed quasars

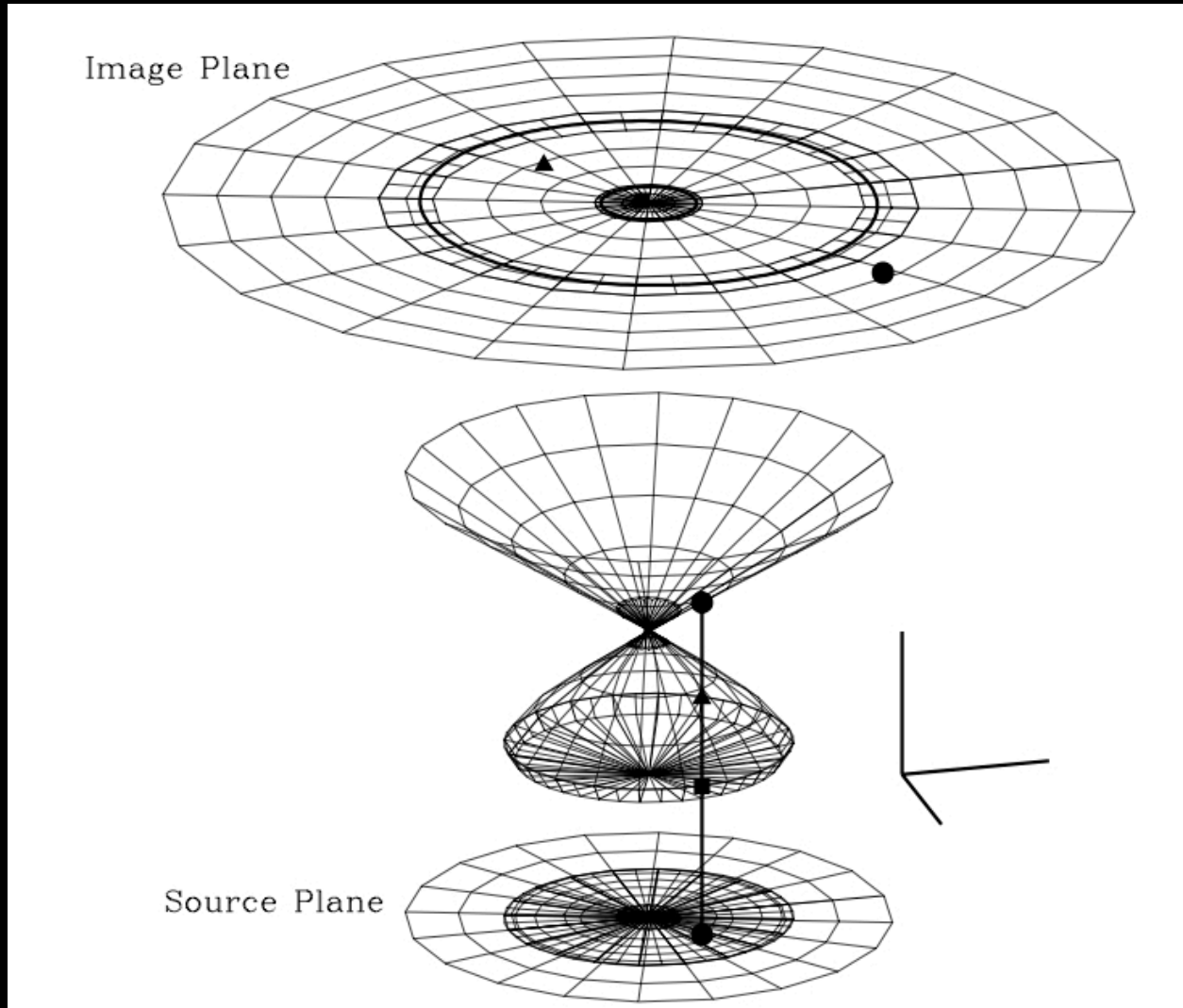
Dark matter substructures



Comparison of radio anomalies with CDM simulations (Aquarius+Phoenix) suggest that the observed frequency is compatible with Λ CDM but possibility of increased rate of anomalies due to disks and/or boxyness of density profiles

Back to the source

Principle of the lens inversion



Back to the source

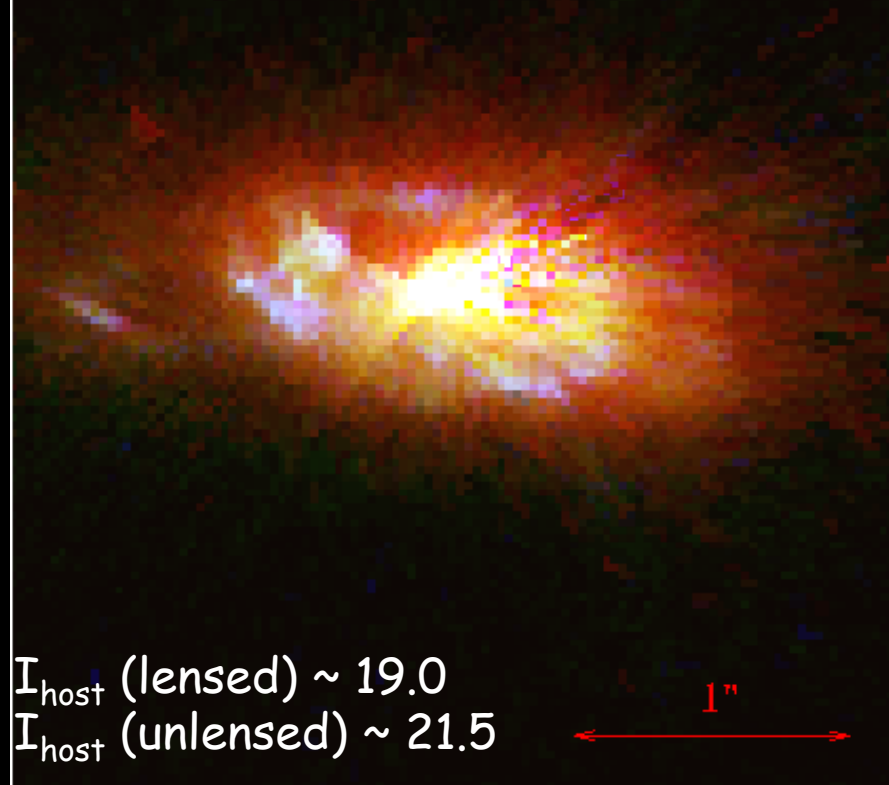
Image Plane



$I_{\text{QSO}} (\text{lensed}) \sim 17.5$
 $I_{\text{QSO}} (\text{unlensed}) \sim 20.4$



Source Plane



$I_{\text{host}} (\text{lensed}) \sim 19.0$
 $I_{\text{host}} (\text{unlensed}) \sim 21.5$



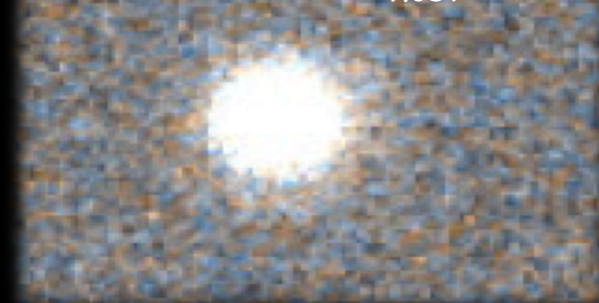
Resolution $\sim 0.1'' \sim 0.7 \text{ kpc}$

Sluse et al. 2003, A&A, 406, L43

Claeskens, Sluse et al. 2006 A&A, 451, 865

GEMS sample

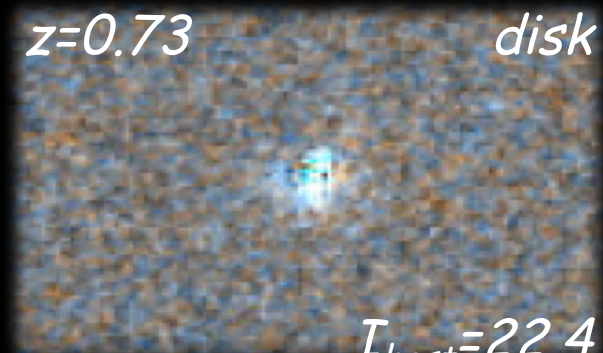
$z=0.65$ $I_{host}=21.3$



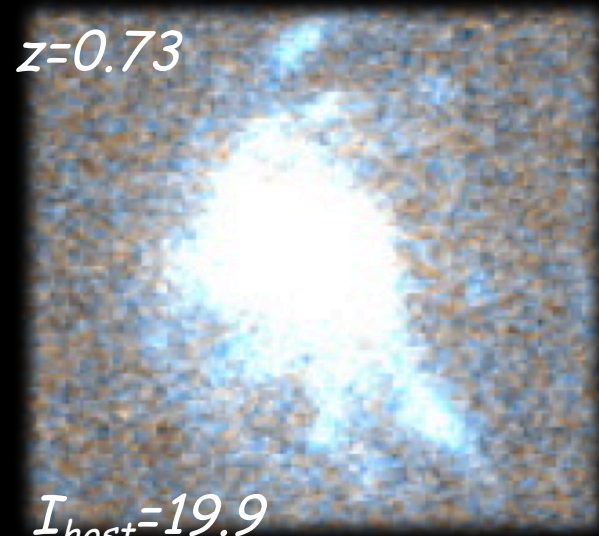
$z=0.66$ $I_{host}=21.6$



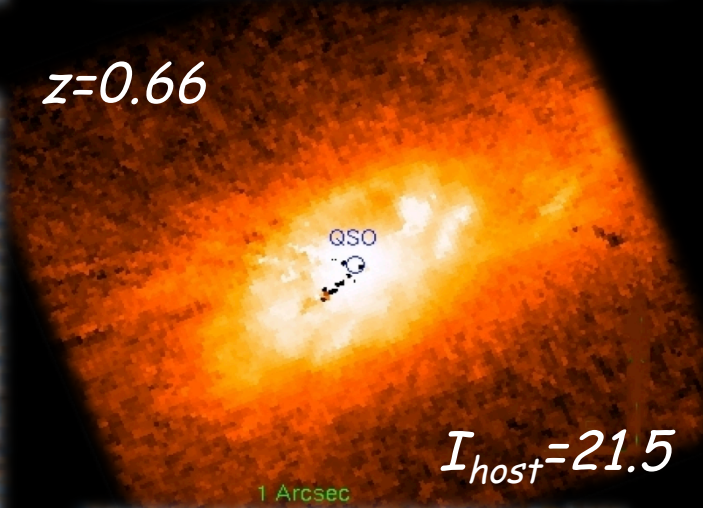
$z=0.73$ disk



$z=0.73$



$z=0.66$



$I_{host}=22.4$

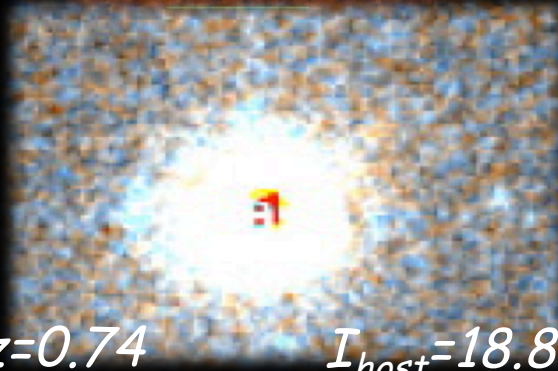
$I_{host}=19.9$

$I_{host}=21.5$

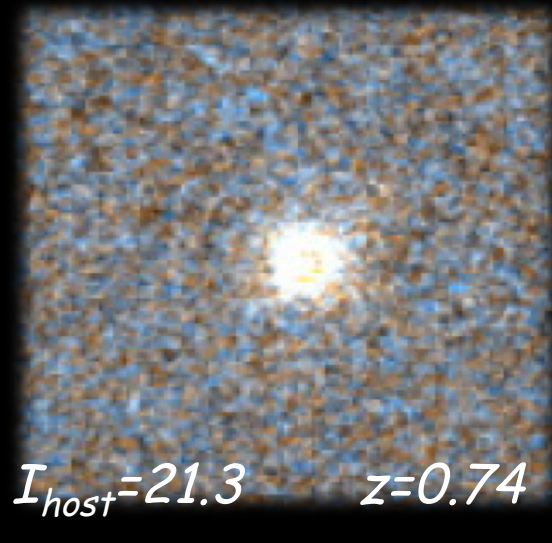
1 Arcsec

Sanchez et al. 2004, ApJ

$z=0.74$



$I_{host}=21.3$ $z=0.74$

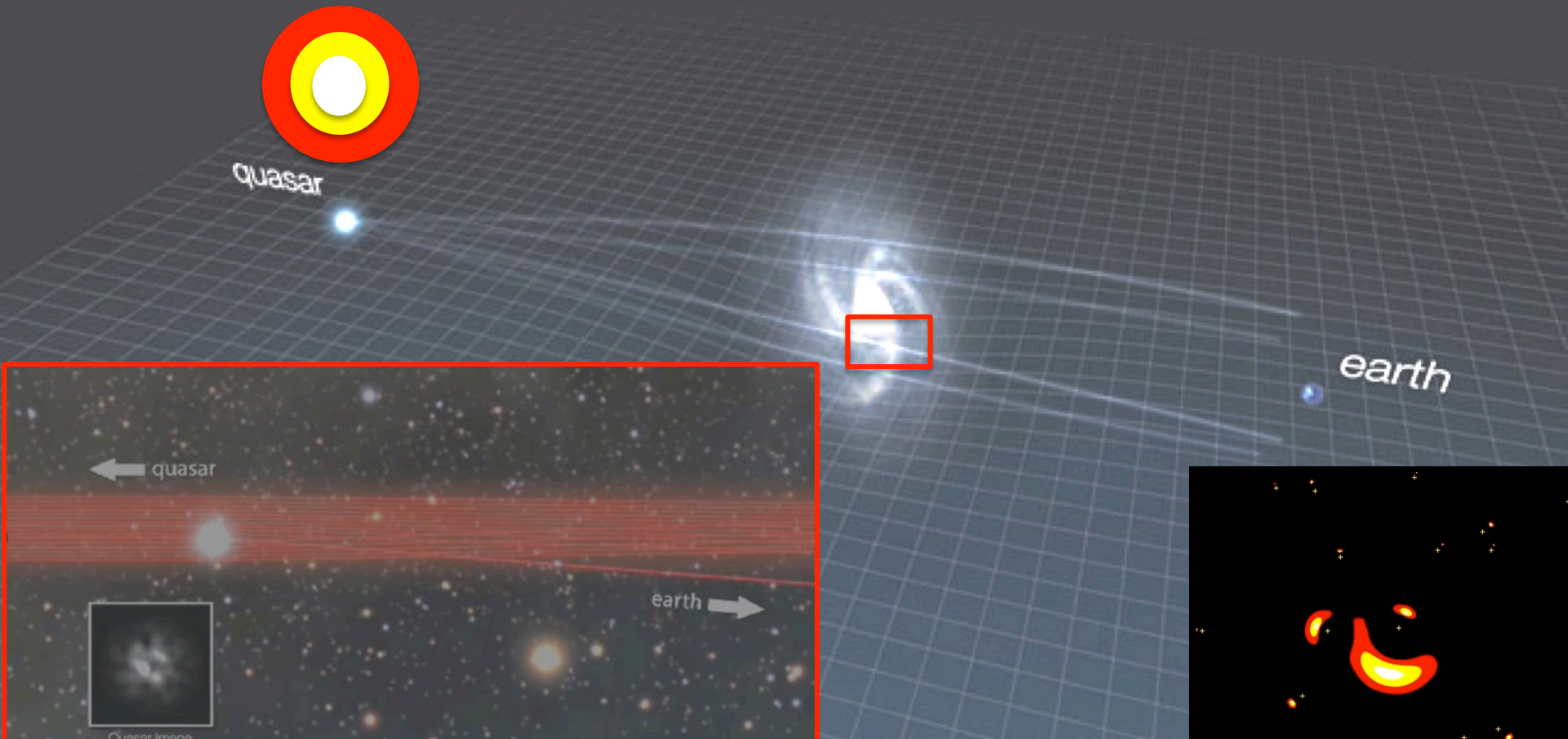


Zooming in further into the source ?

MICROLENSING

Micro-lensing: Basics

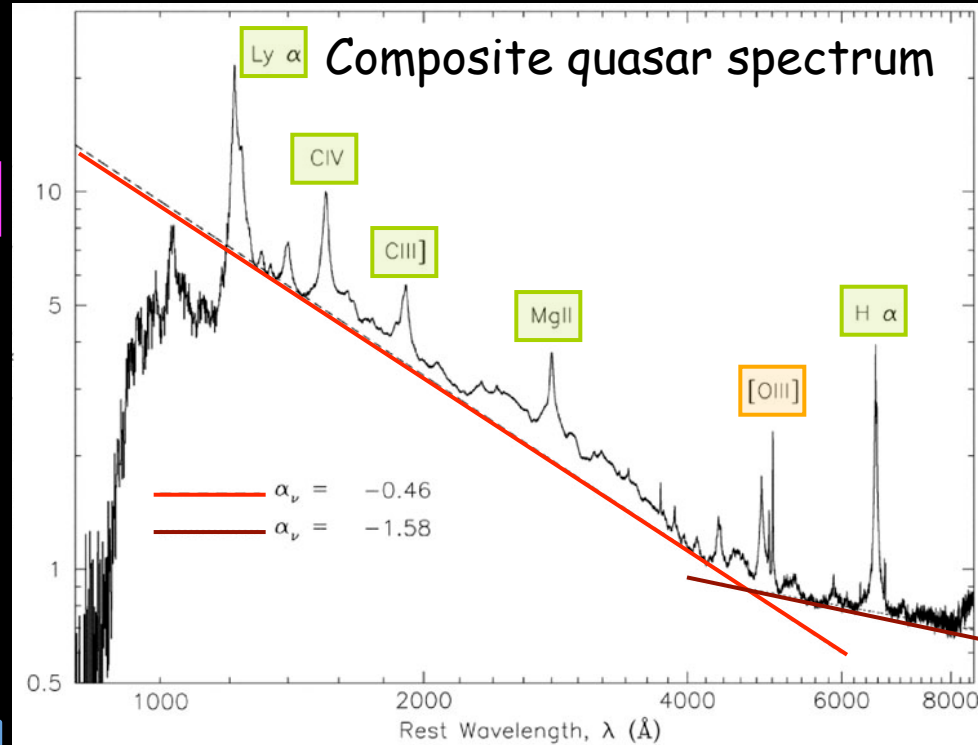
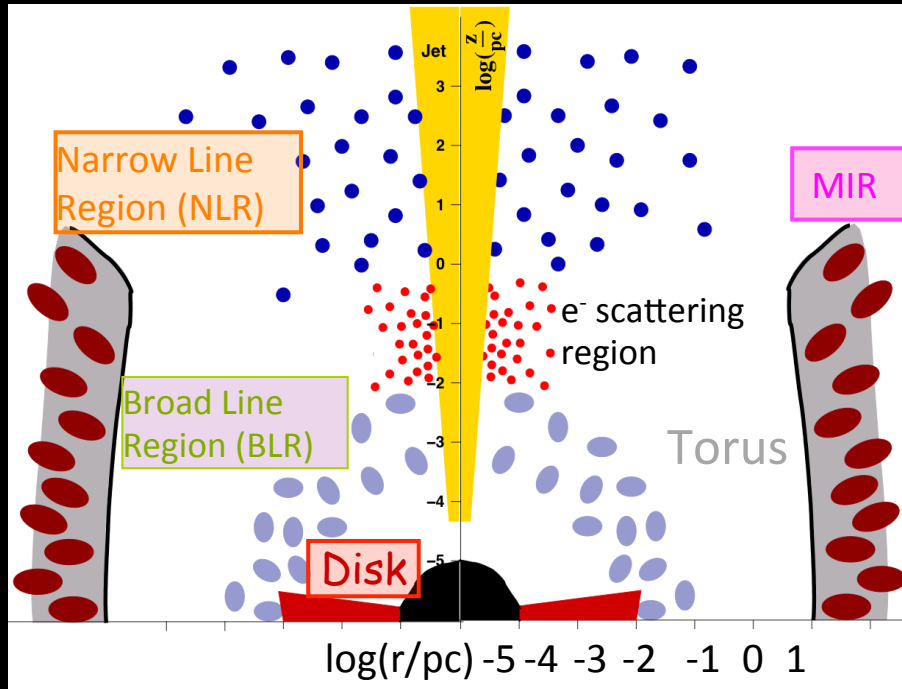
Macrolensing = multiple images angularly resolved ($\Delta\theta \sim 1$ arcsec) = STRONG lensing



Micro-lensing is caused by the stars in the lensing galaxy
=
unresolved microlensed images ($\Delta\theta \sim 1 \mu\text{as}$)



AGNs: Overview



Today: ~ 10 mas ~ 80 pc resolution ($z=3$; AO)
 ~ 1 - 0.1 pc (VLTI, low z)

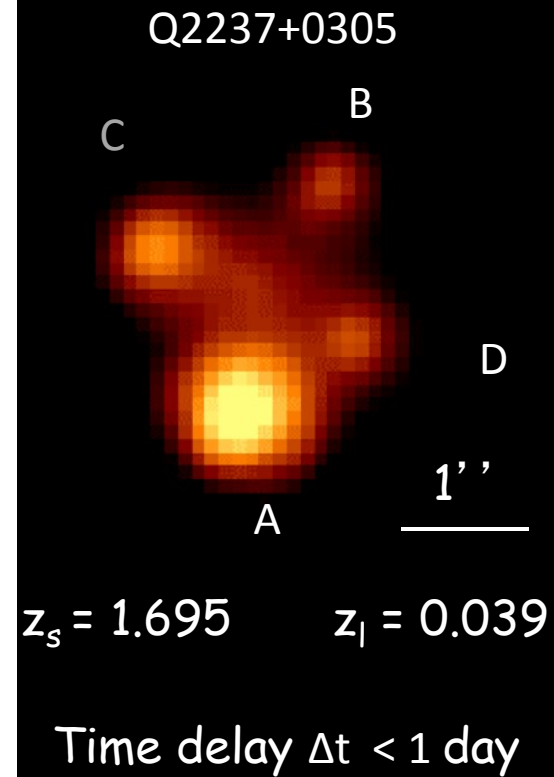
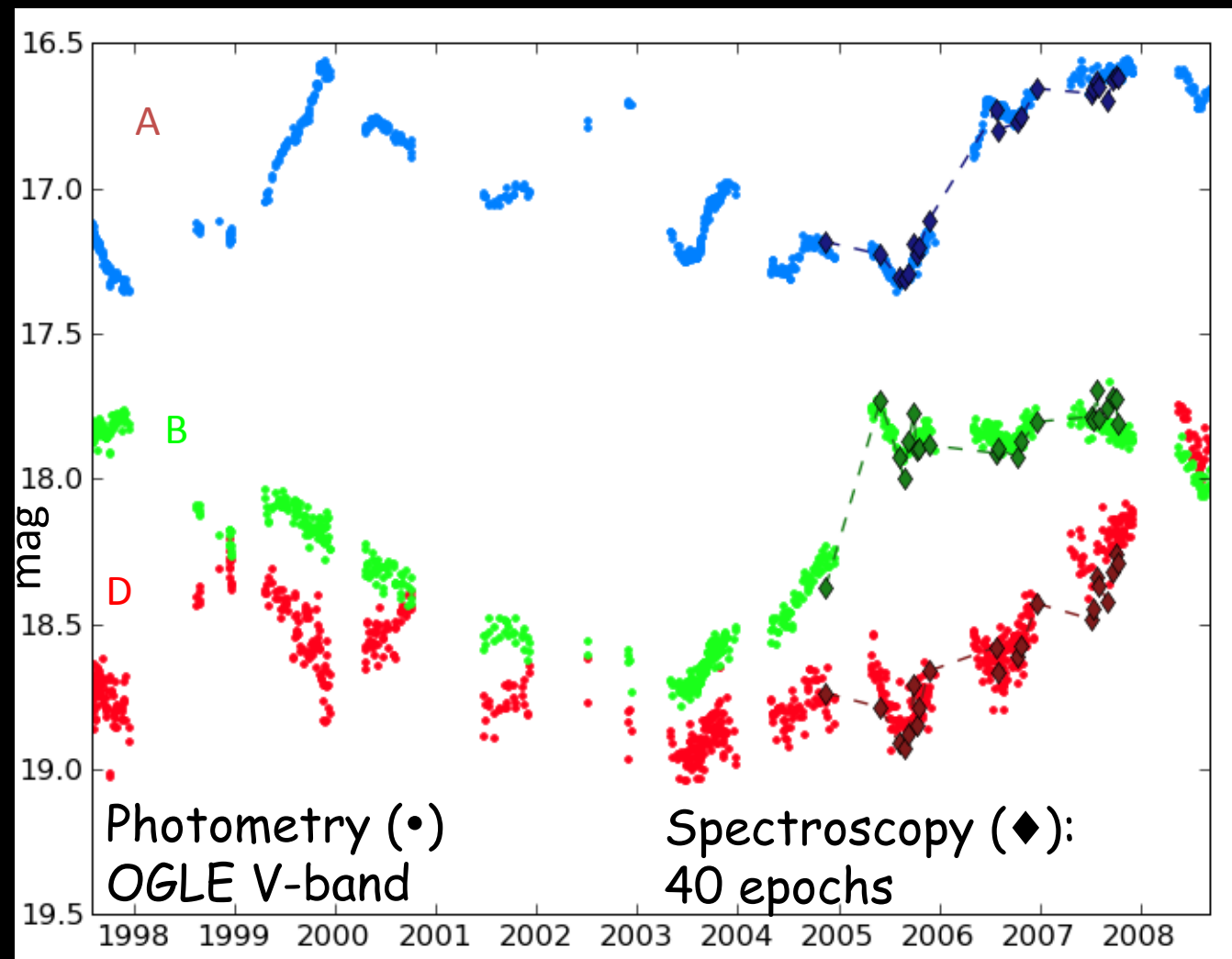
Future: 0.1 mas ~ 0.8 pc resolution ($z = 3$)

Microlensing: 0.04 pc resolution (up to $z=4$)

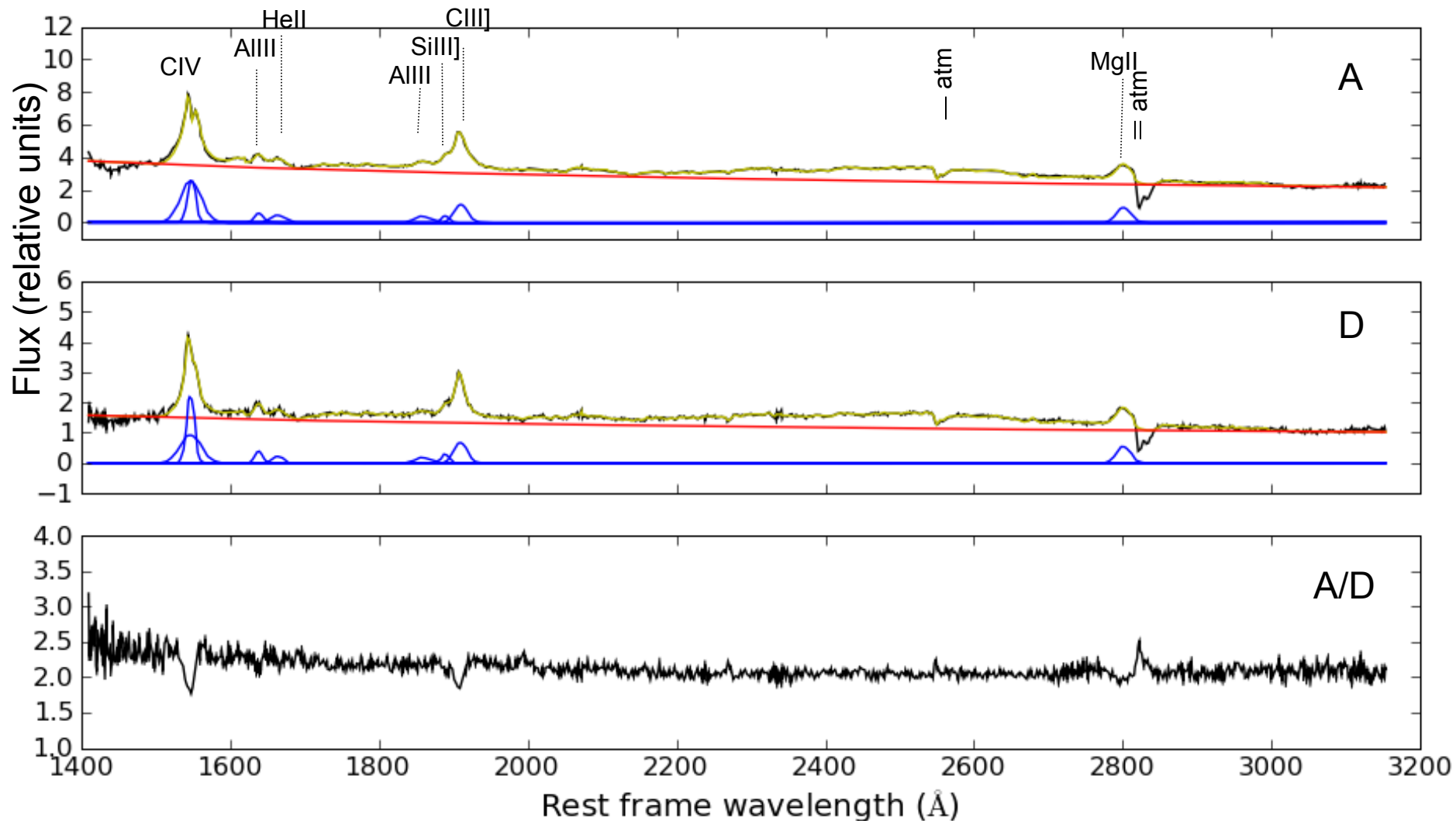
Vanden Berk et al. 2001, AJ, 122, 549

BLR: FWHM > 2000 km/s
NLR: FWHM < 1000 km/s

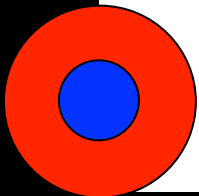
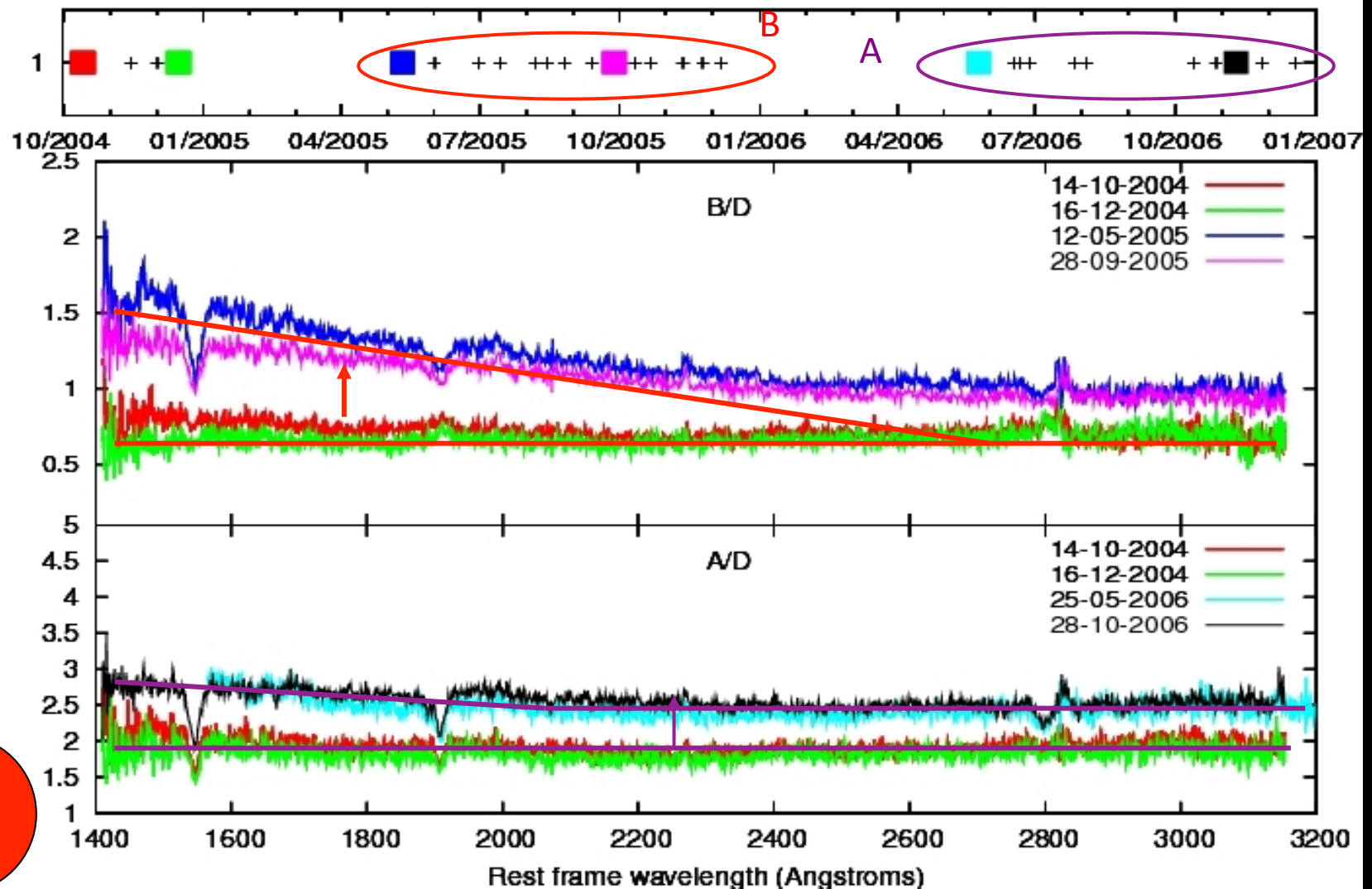
Microensing in the Einstein Cross



Microensing in the Einstein Cross

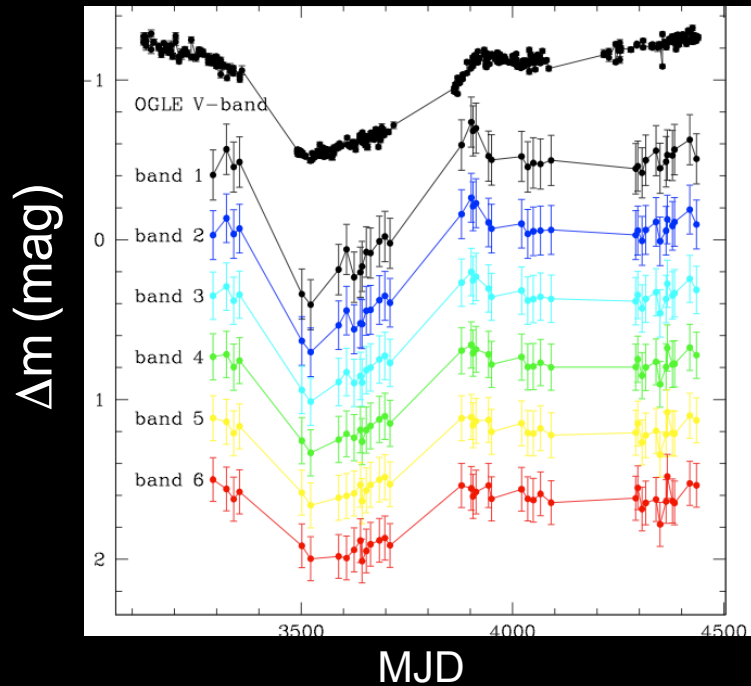


Microlensing in the Einstein Cross: Accretion disc



Microlensing in the Einstein Cross: Accretion disc

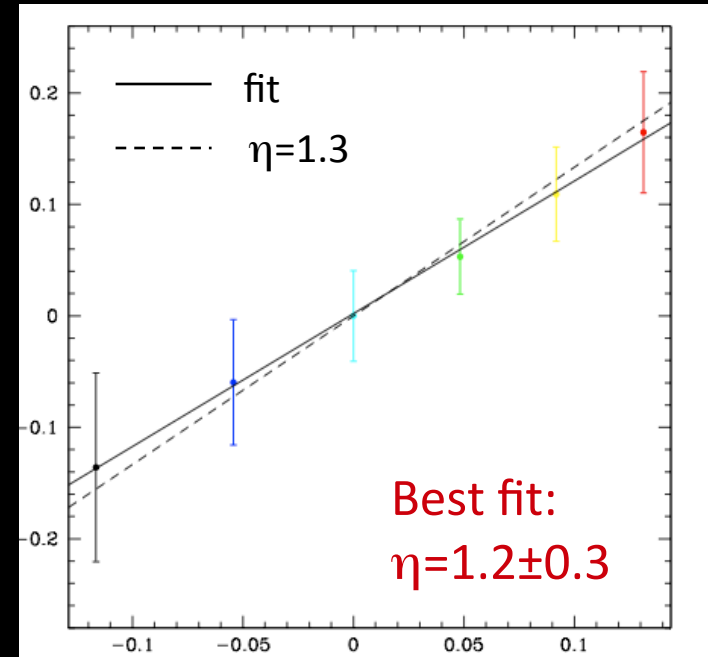
Observed micro-lensed induced chromatic variations of the continuum



ML simulations



Results of the simulation

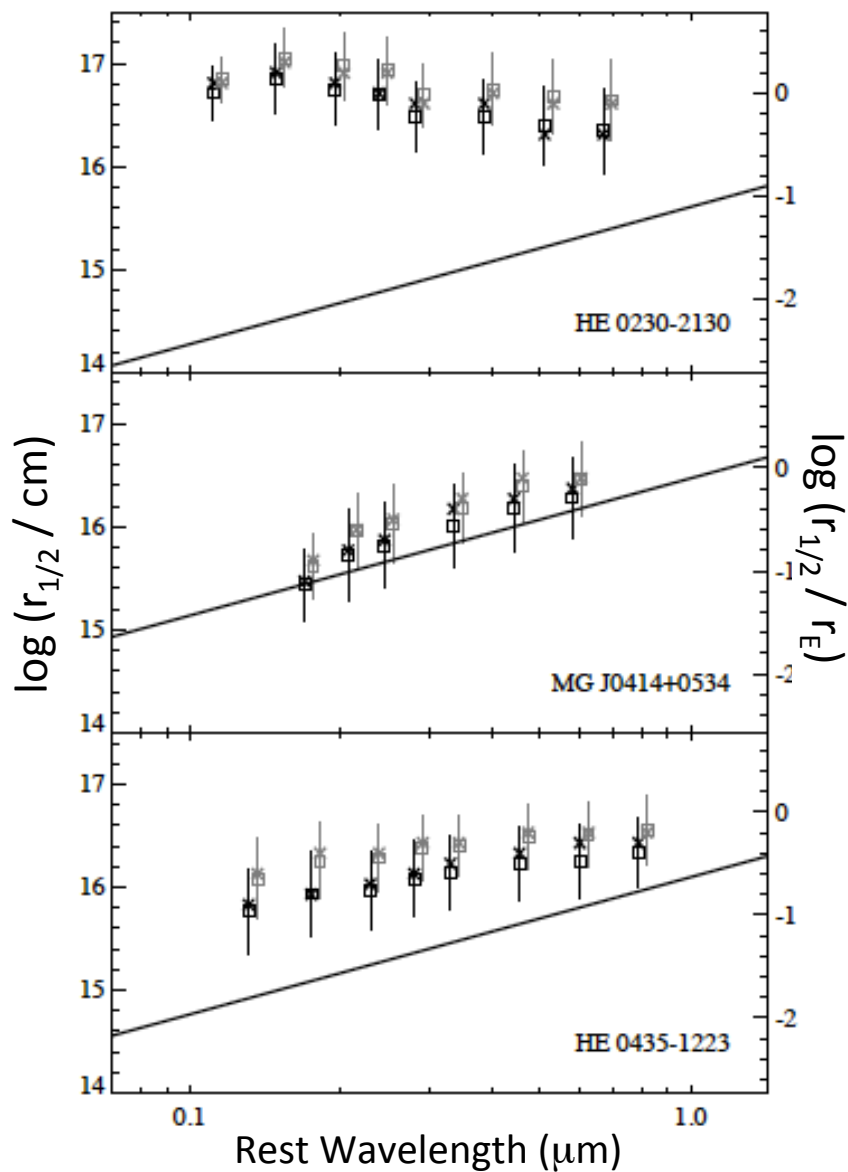


Accretion disk model:

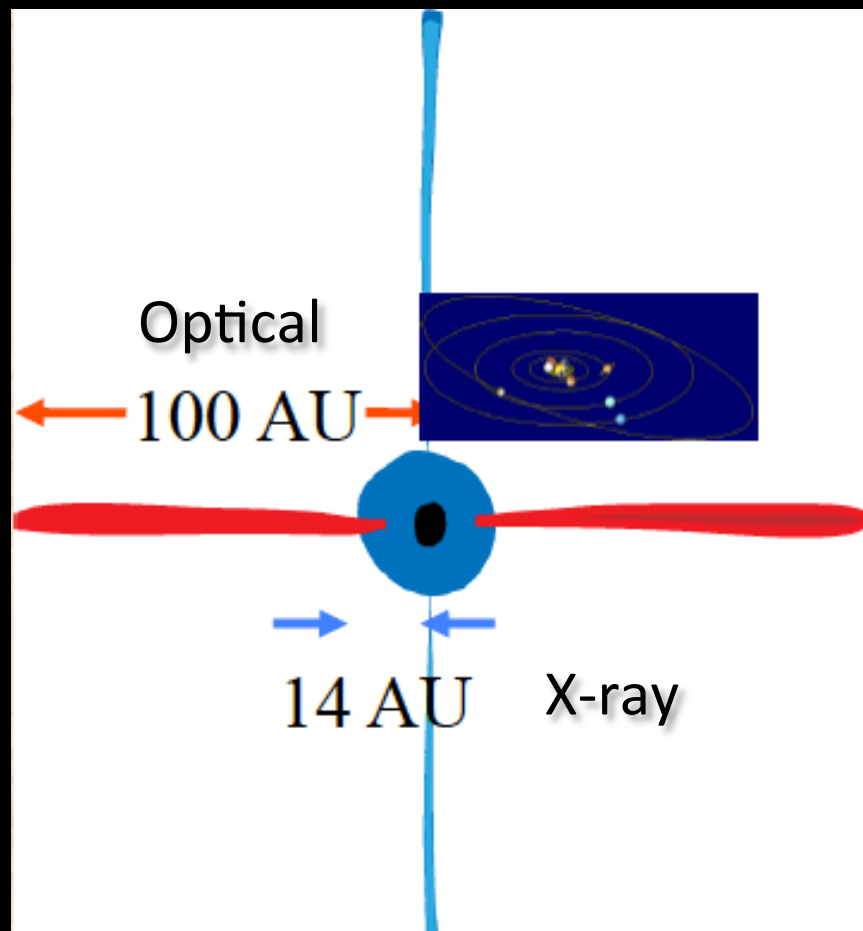
$$\frac{R}{R_{\text{ref}}} = \left(\frac{\lambda}{\lambda_{\text{ref}}} \right)^\eta$$

- η= 1.3 (Shakura & Sunayev, 1973)
- η= 1.15 (Agol & Krolik, 2000)
- η= 1.75 (Gaskell 2008)

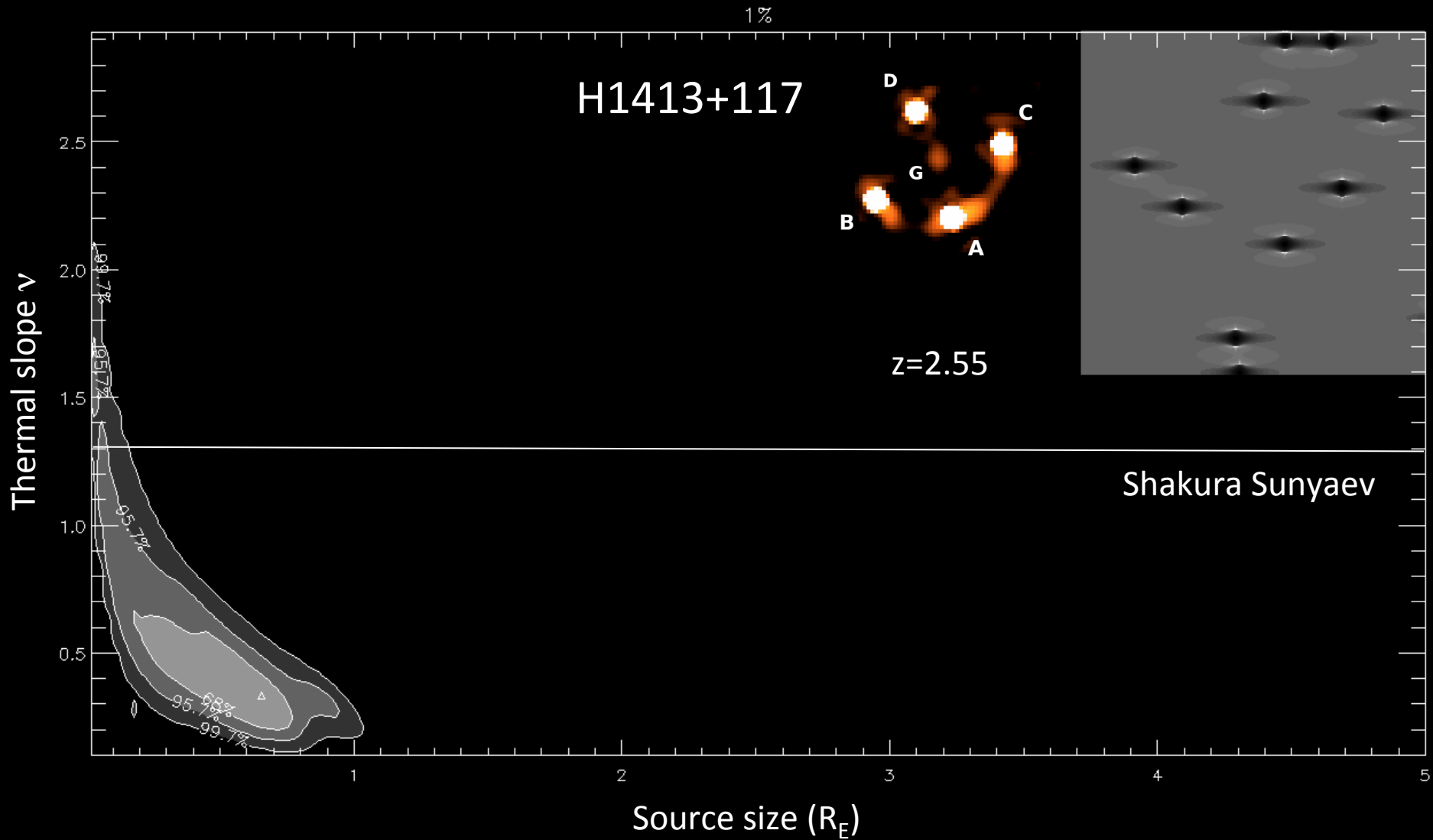
Microlensing in other systems: Accretion disc



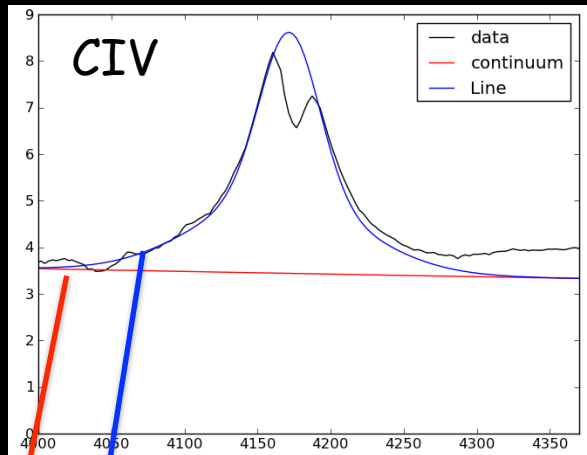
ML sizes generally **larger** than expected from theory, and slopes steeper than Shakura Sunyaev (e.g. Morgan et al. 2010, Blackburne et al. 2011)



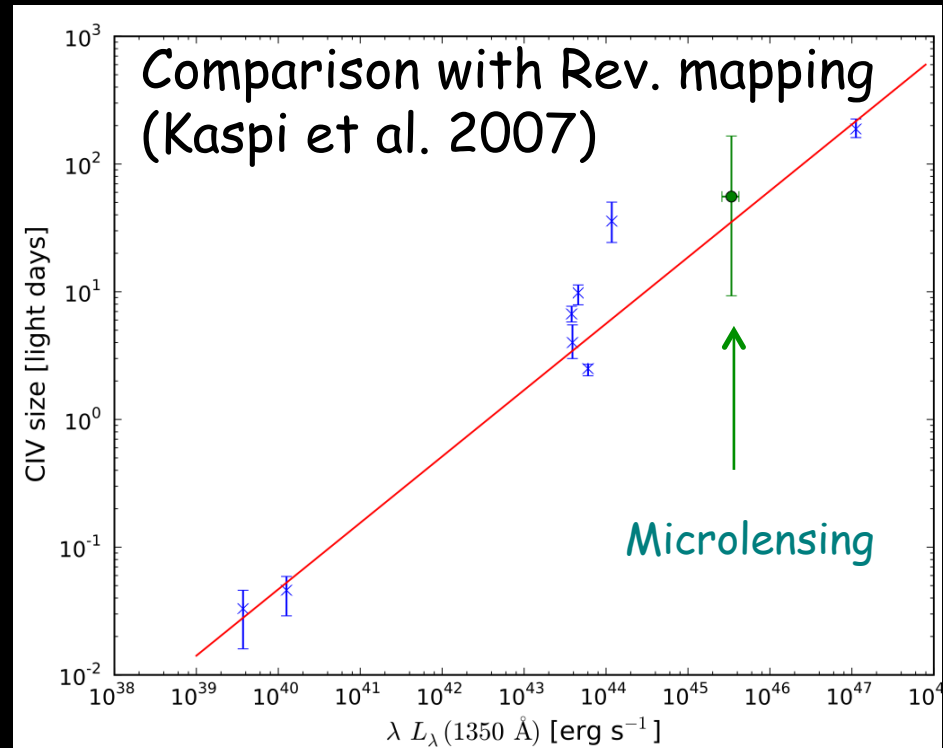
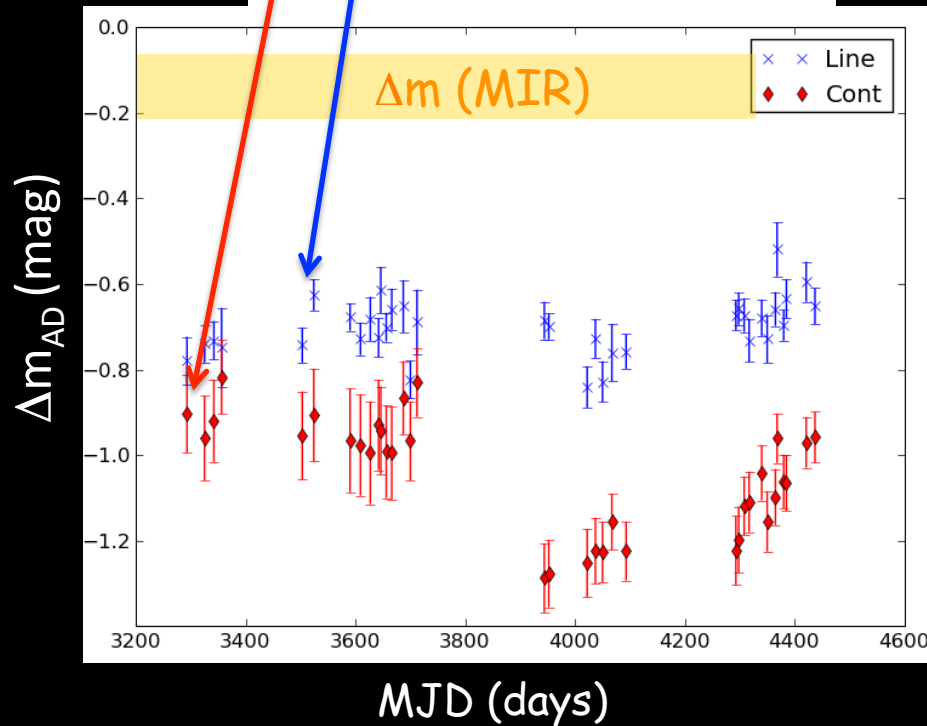
Microlensing also depends on the local f_{DM}



Microensing in the Einstein Cross: The BLR

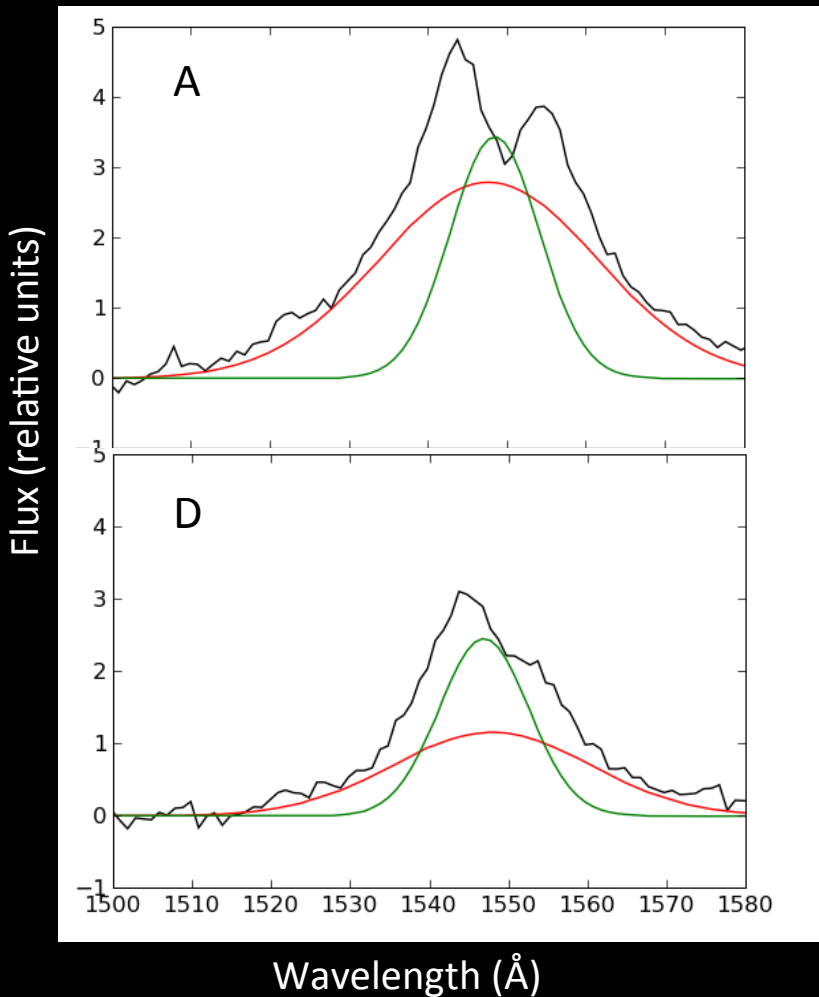


Size of the BLR: Comparison of the observed lightcurve with mL simu.:
 $R_{\text{CIV}} \sim 66 (\langle M \rangle / 0.3 M_{\odot})^{1/2}$ lt-days



Microensing of the BLR

CIV Spectral decomposition



The broadest component of the line (**higher velocity**) is also the most microlensed, hence the **most compact** (only about 4 times larger than the AD)

In many systems, only the red/blue wing of the line is microlensed => **BLR is not spherically symmetric** (geometry+velocity field).

Conclusions

1. One of the most accurate measurement of the **mass** of galaxies up to $z=1$ (typically **5% accuracy** within $1 R_E \cong 5-10$ kpc)
2. Projected DM fraction within inner 5 kpc of elliptical galaxies, and slope of the total (baryon+DM) density profile:
$$f_{DM} \cong 0.63 \text{ within } R_e \cong 6.3 \text{ kpc (for Salpeter IMF)}$$
$$\gamma = 2.085 \pm 0.025 \text{ (rand)} \pm 0.1 \text{ (sys)} \quad (\text{up to } z \cong 0.3)$$
3. Structure of **distant sources (quasars, galaxies)** from kpc scales down to sub-pc scales (**AD+BLR+host** in the same systems !):
AD: ML size generally larger than theory size; slope steeper than SS
BLR: compatible with local reverberation mapping measurements (but up to high z) + sensitivity to the geometry of the BLR.