

# **Classical analogy for the deflection of flux avalanches by a metallic layer**

Alejandro V. Silhanek

*Experimental physics of nanostructured materials  
Physics Department, University of Liège  
BELGIUM*



# Collaborators

J Brisbois, O-A Adami, B Vanderheyden, N D Nguyen

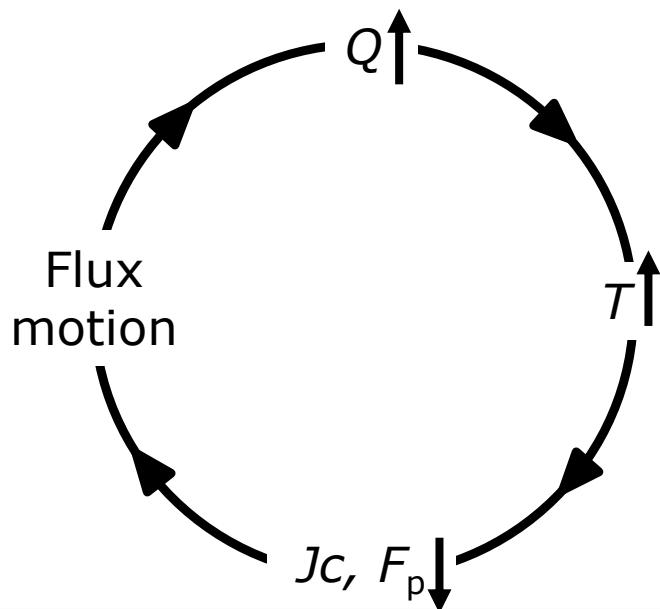
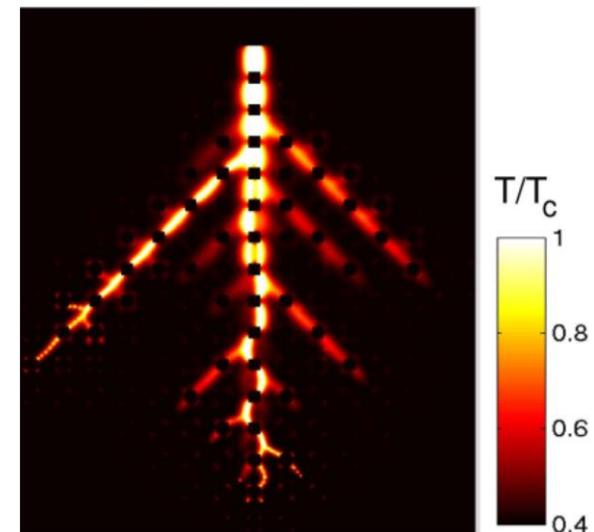
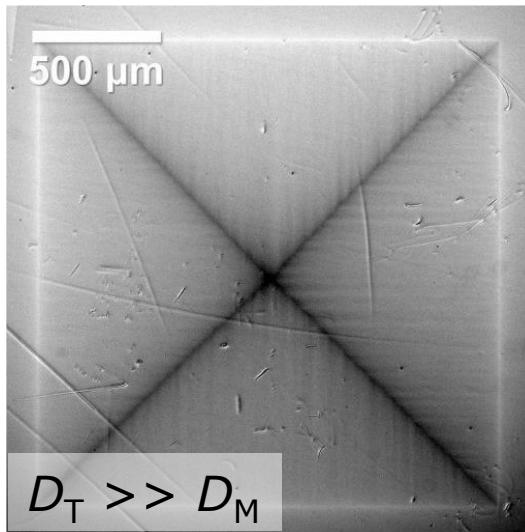
*Université de Liège, BE*

B Hackens, *Université Catholique de Louvain, BE*

F Colauto, M Motta, W A Ortiz, *Universidade Federal de São Carlos, BR*

J Fritzsche, *Chalmers University of Technology, SE*

# Magnetic flux avalanches



Heat transport by phonons can be ruled out  $\rightarrow$  adiabatic conditions, hence  $\Delta T = Q/C(T)$

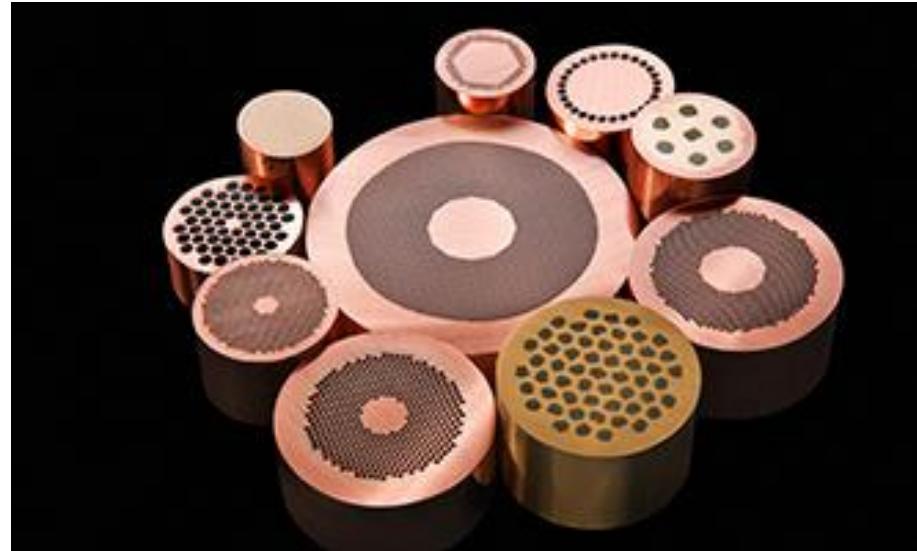
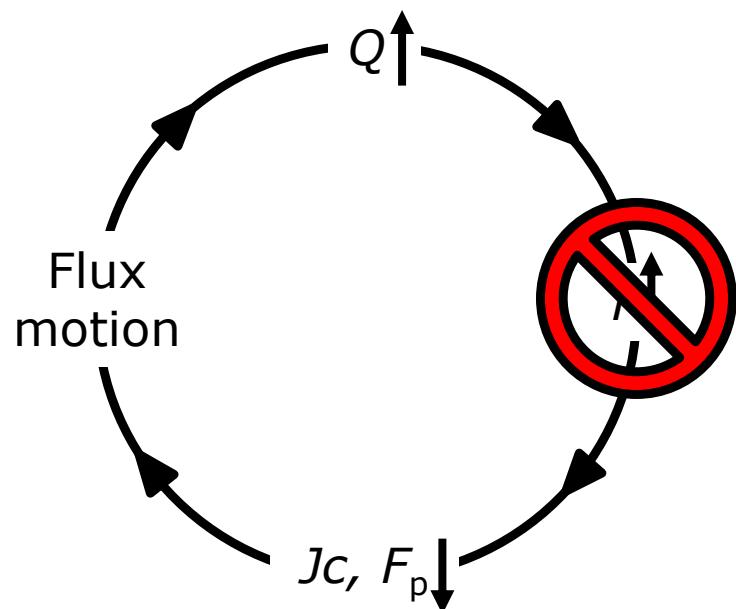
$v \sim 160 \text{ km/s} \gg \text{sound velocity } 7 \text{ km/s}$

$v_{\text{Abrikosov}} \ll 1 \text{ km/s}$

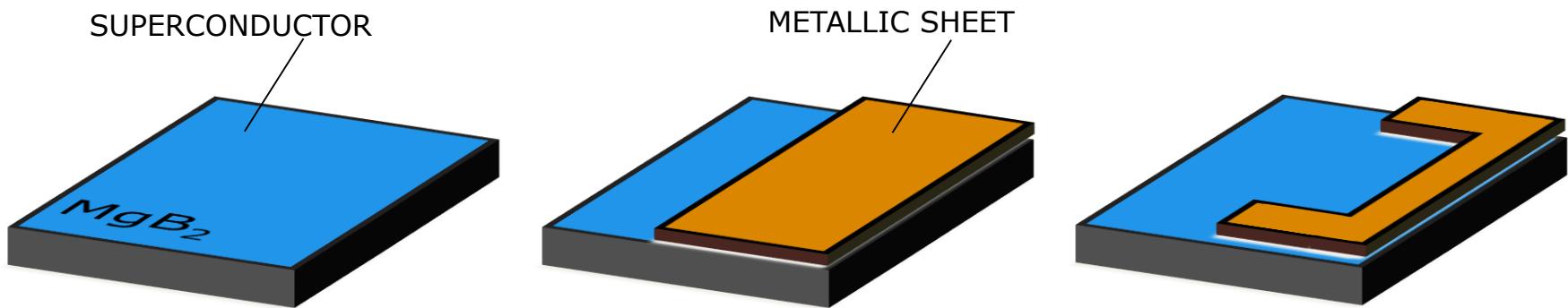
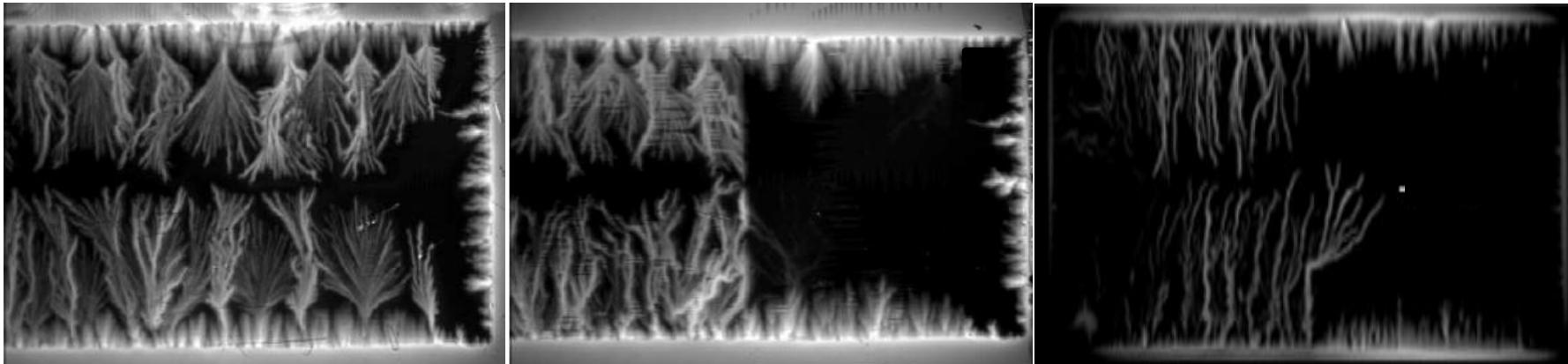
$v_{\text{kinematics}} \sim 100 \text{ km/s}$

$v_{\text{josephson-vortex}} \sim 10000 \text{ km/s}$

# Cu coating of superconducting solenoids

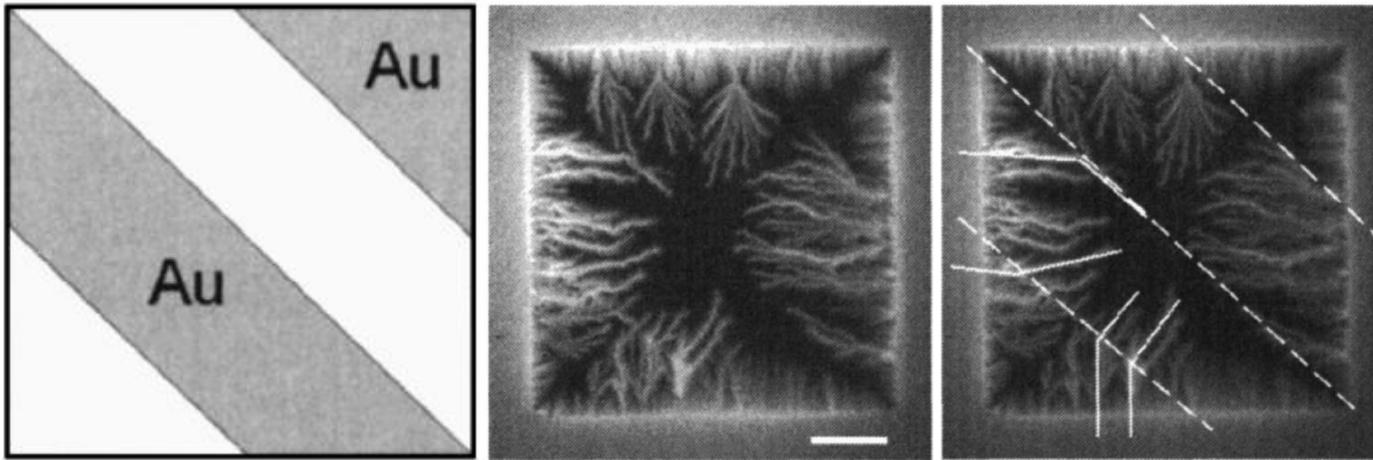


# Suppression of flux avalanches



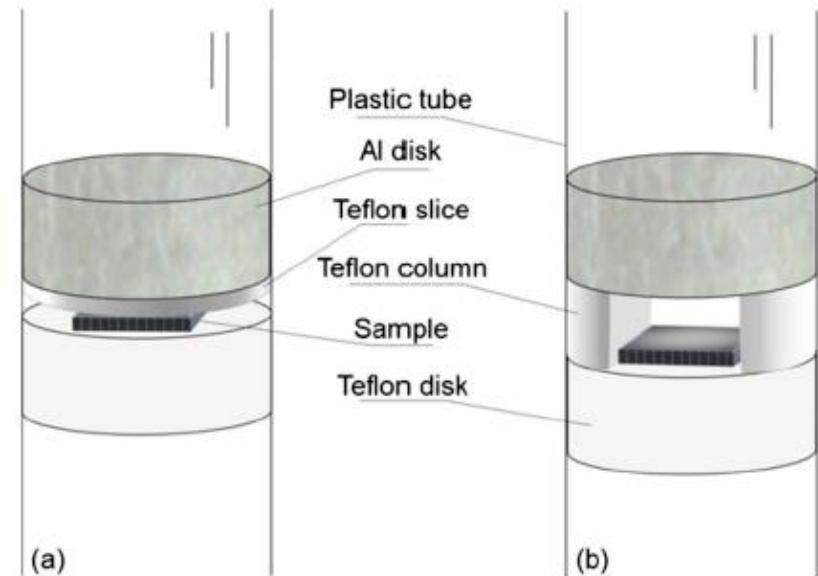
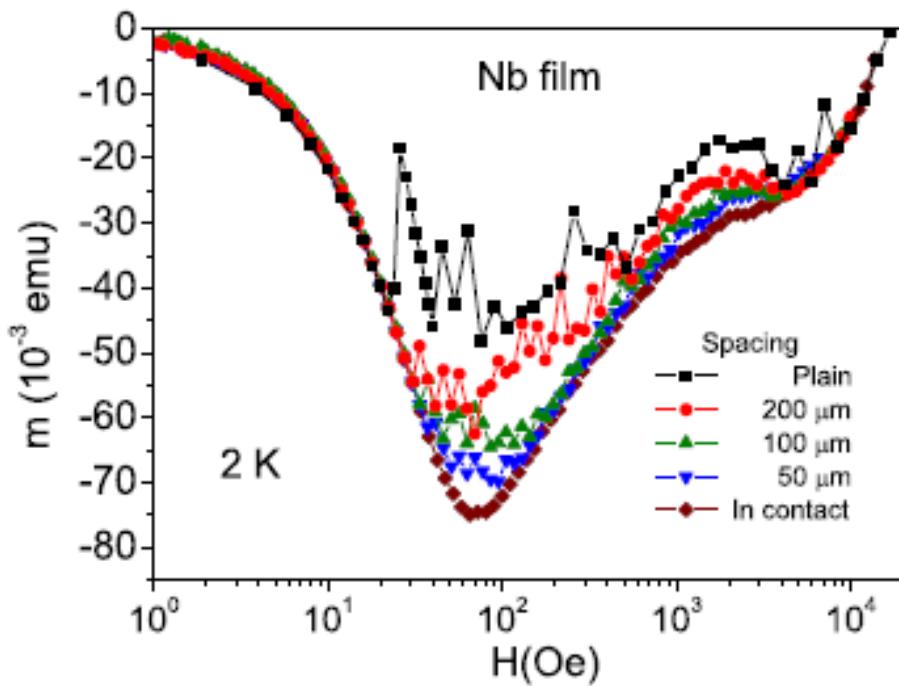
"The clear sensitivity of dendritic avalanches to the thickness of the gold layer suggests a thermal origin for the instability"

# Deflection of flux avalanches



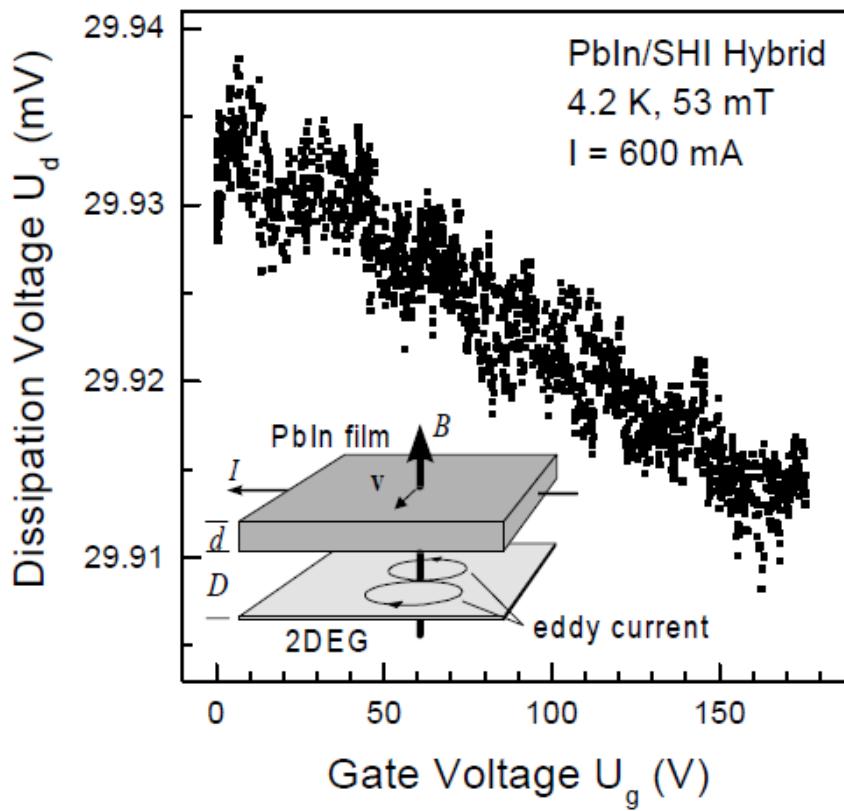
- ✓ Change of propagation direction depending on the incident angle.
- ✓ The gold capping reduces the velocity  $v$  of the avalanches.
- ✓ The propagation of an avalanche gives rise to large electric fields according to Faraday's law that cause high currents in the gold film.

# Magnetic braking of flux avalanches



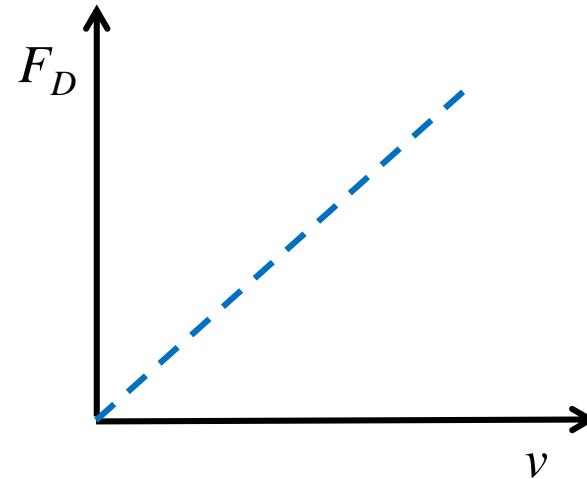
"Flux jumps are strongly suppressed when a metallic layer is located close—but not necessarily in contact. The effect is due to eddy currents induced in the metal preventing large-scale vortex avalanches to develop."

# Magnetic braking of vortices in semiconductor/superconductor hybrids



“significant additional damping of vortex motion caused by the eddy currents generated in the 2D electron gas”

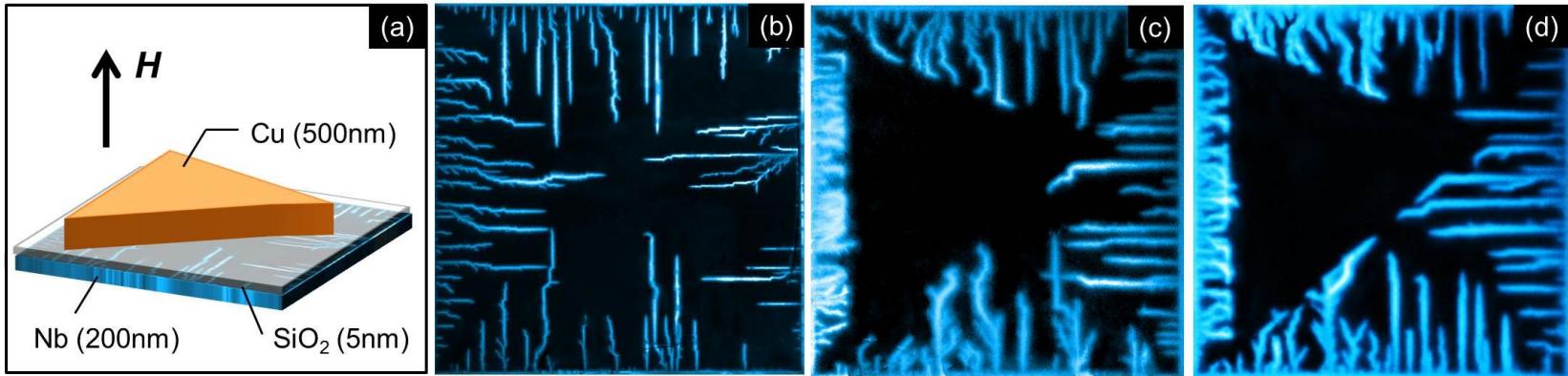
$$\frac{F_D}{v} = \eta_T = \eta_{SC} + \eta_{2DEG} \approx \eta_{SC} + \frac{\sigma_{2DEG}}{\sigma_n d}$$



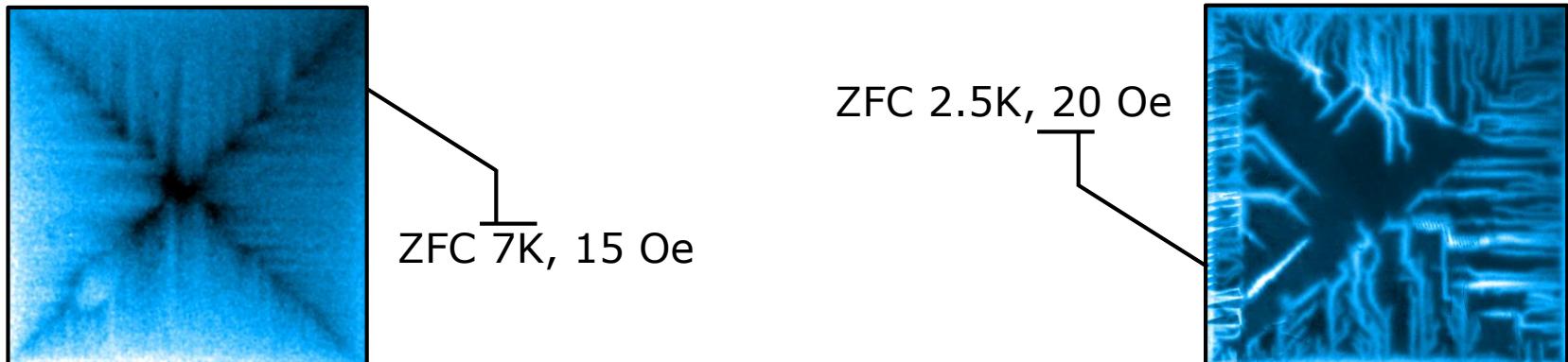
# Research objectives

- ✓ What if the metallic layer is not covering the superconductor's borders ?
- ✓ May a single vortex also undergo deflection when entering the region covered by the metallic layer ?
- ✓ Can we think of a classical model mimicking the observed behavior ?

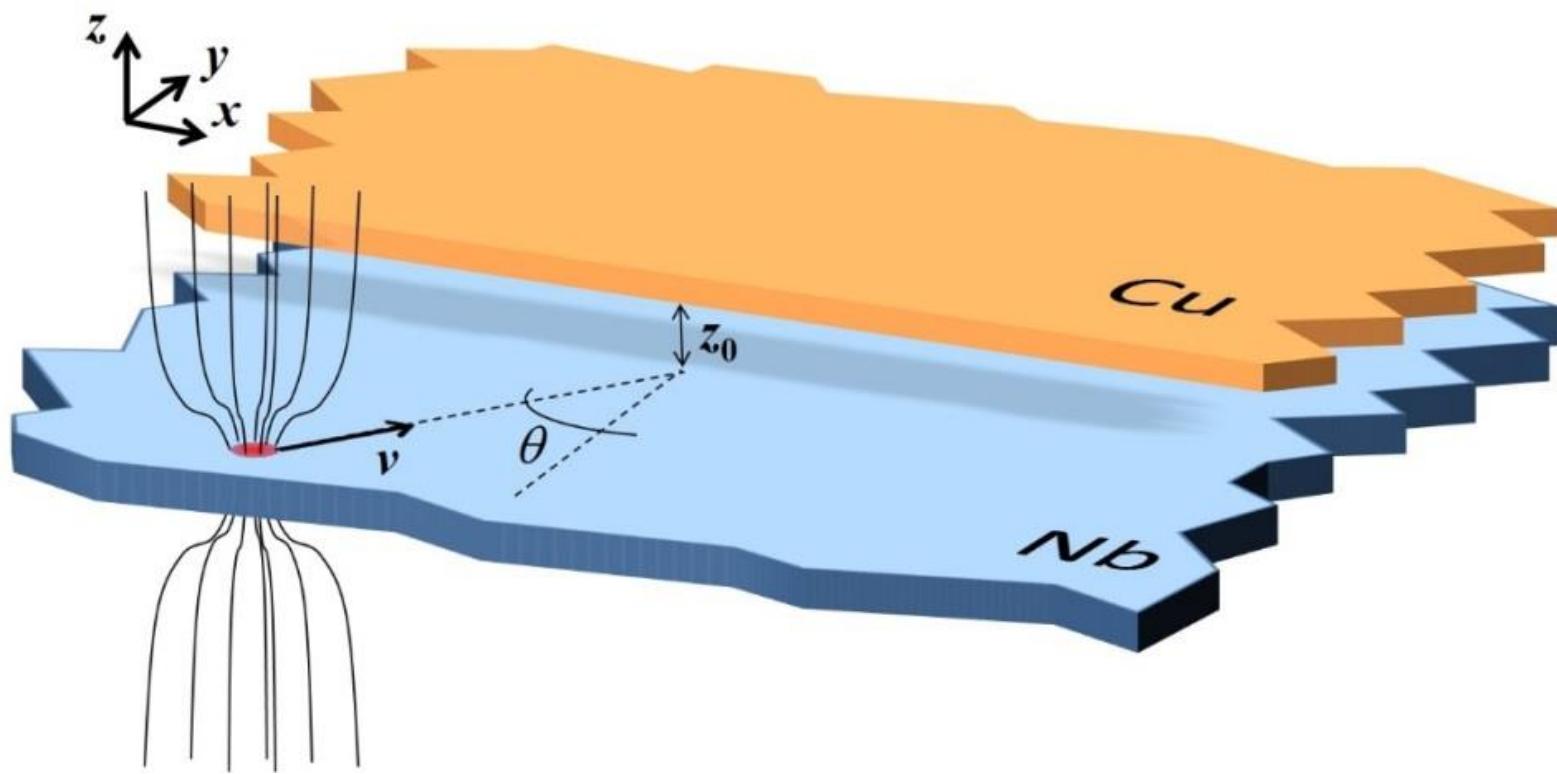
# Avalanche exclusion



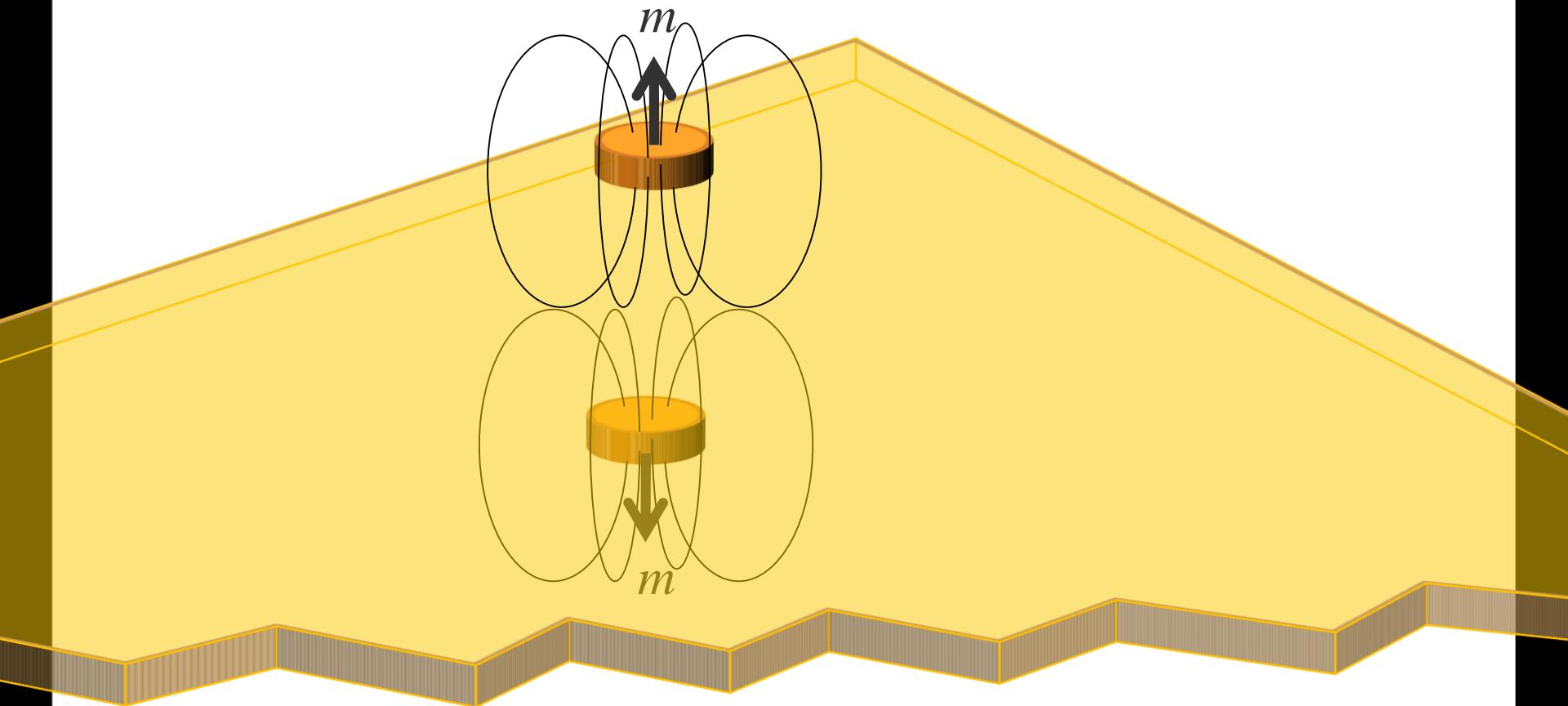
- ✓ No thermal shunt at the nucleation point of the avalanches
- ✓ Exclusion of flux avalanches by the Cu layer
- ✓ In the smooth (critical state) flux penetration regime, there is no difference between the sample with or without the Cu triangle



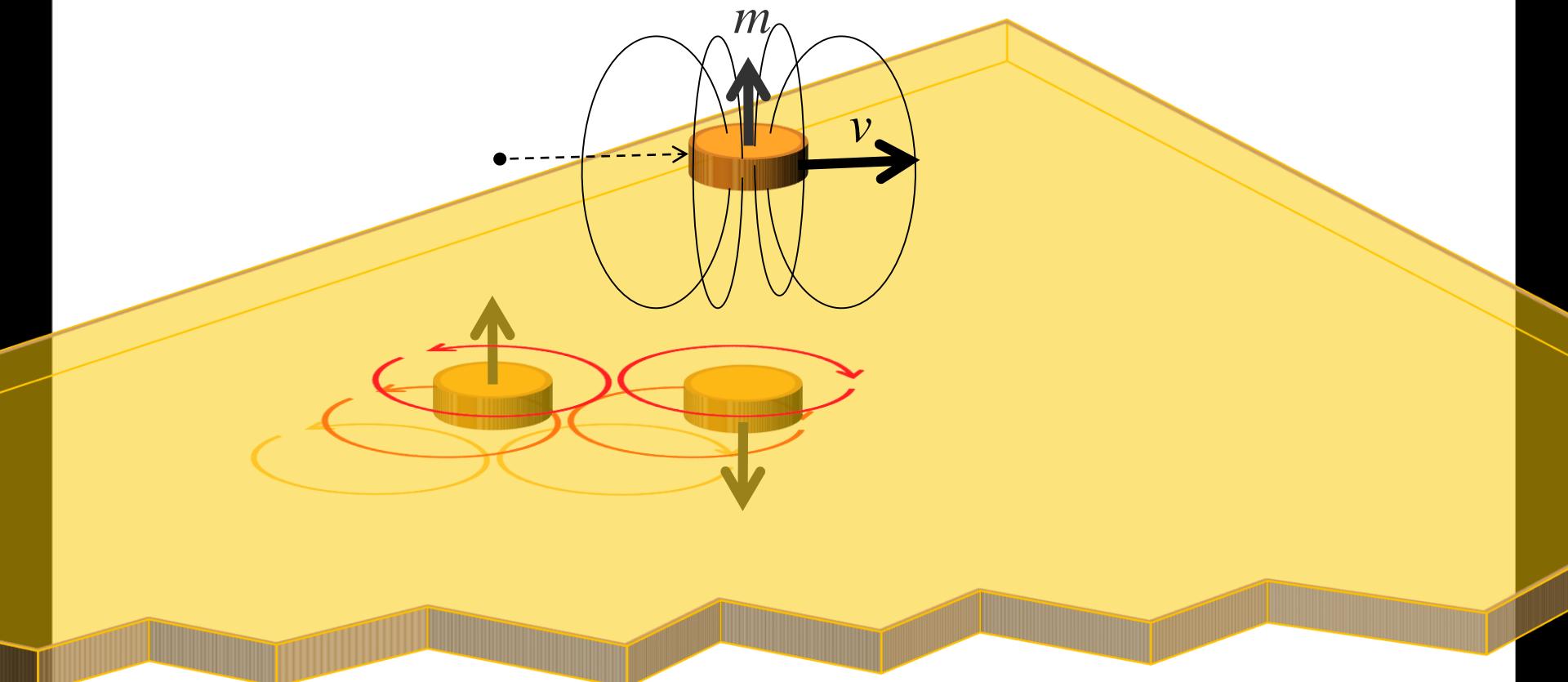
# Classical model



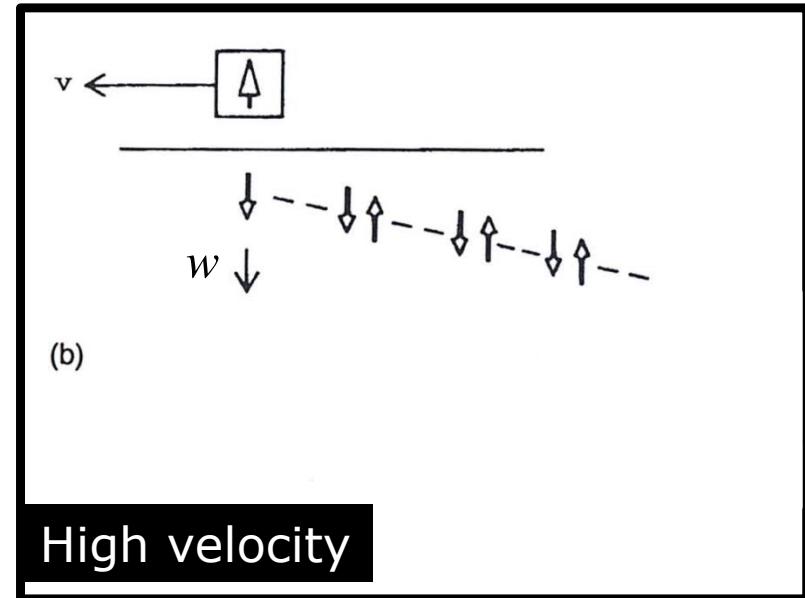
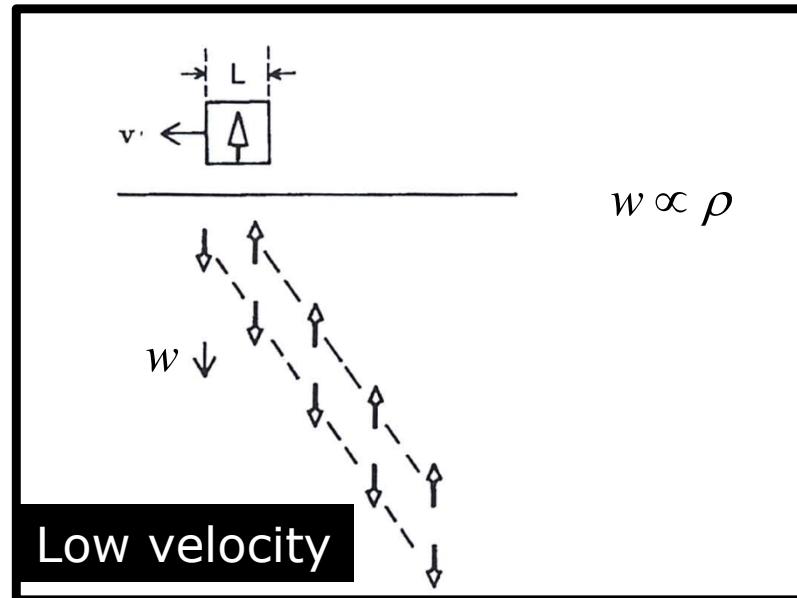
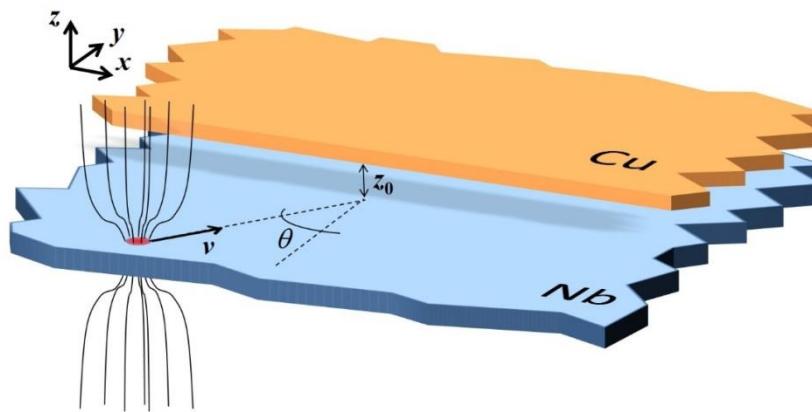
# Eddy currents and image method



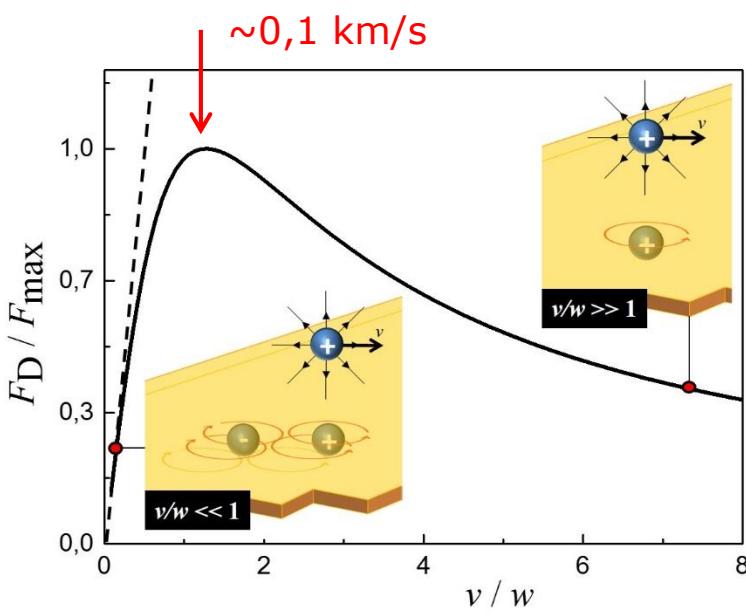
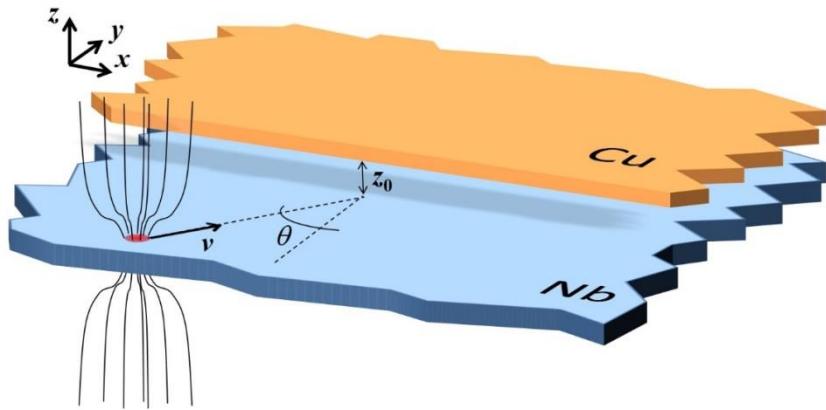
# Eddy currents and image method



# Classical model

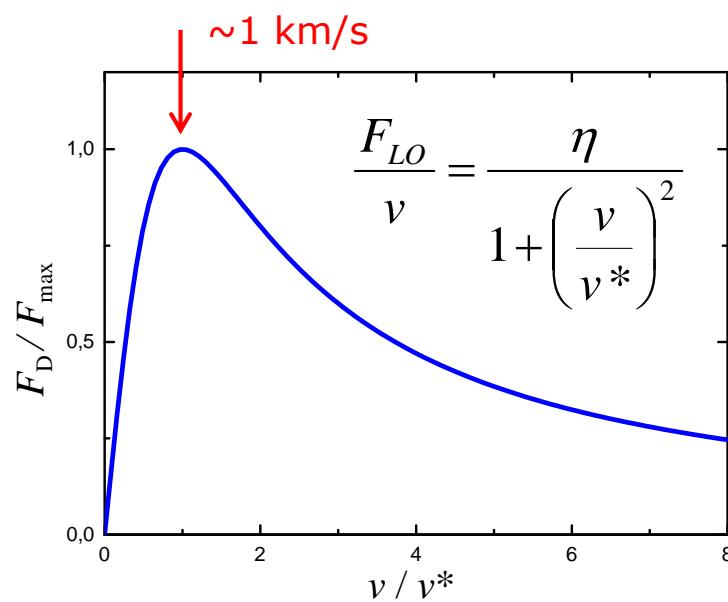


# Classical model

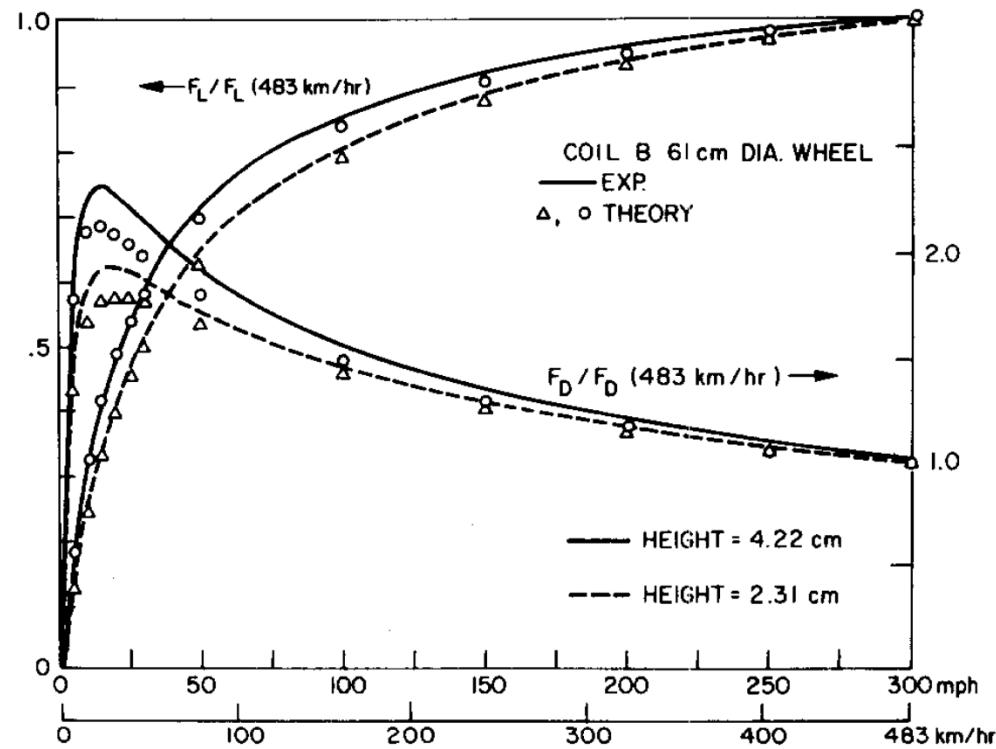
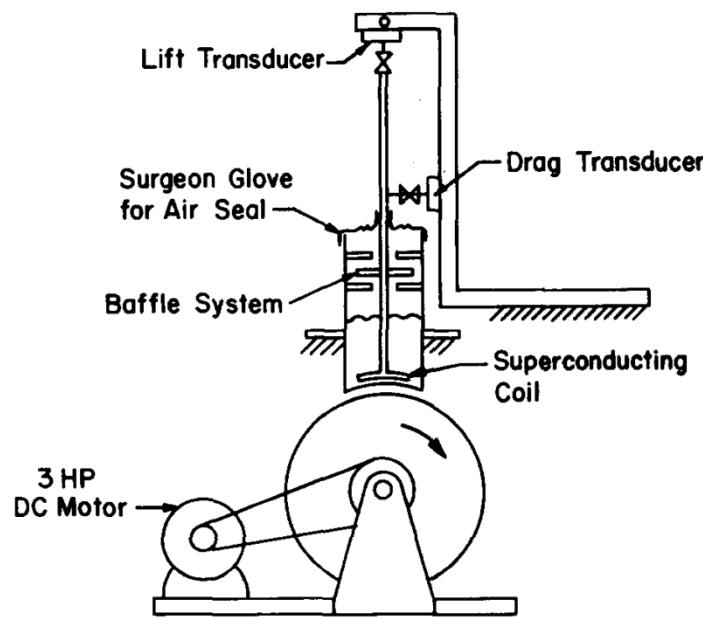


$$F_L = (\mu_0 q^2 / 16\pi z_0^2) [1 - w / (v^2 + w^2)^{1/2}]$$

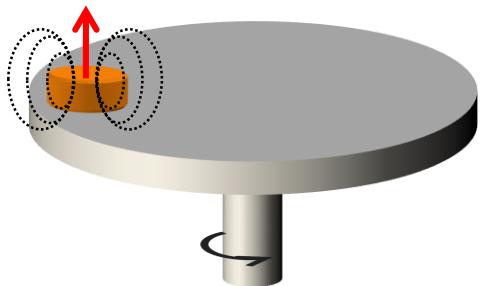
$$F_D = (w/v) F_L$$



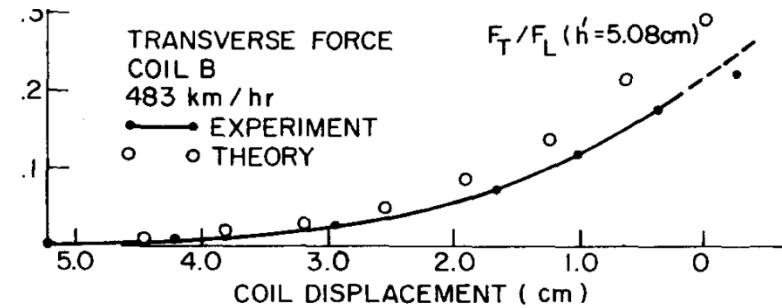
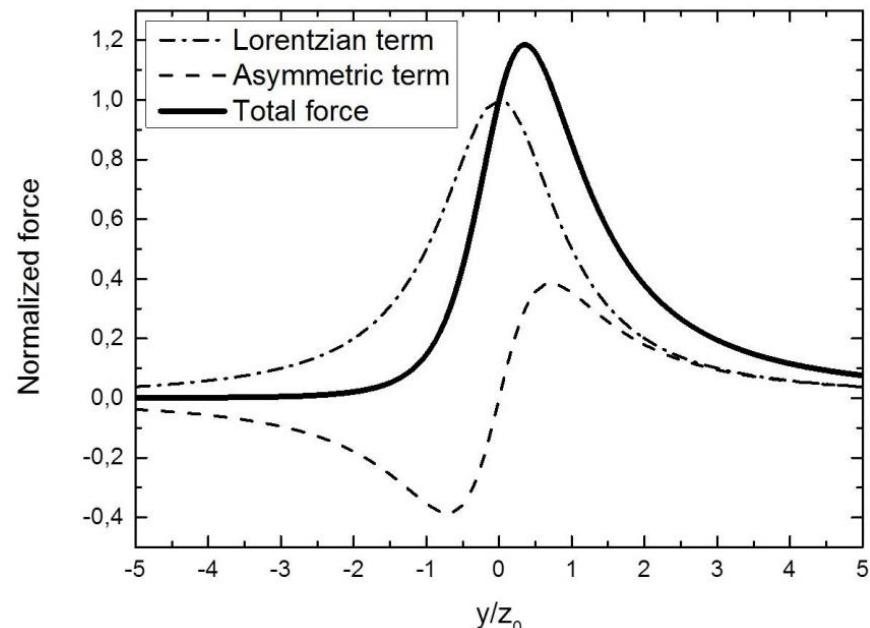
# Classical model



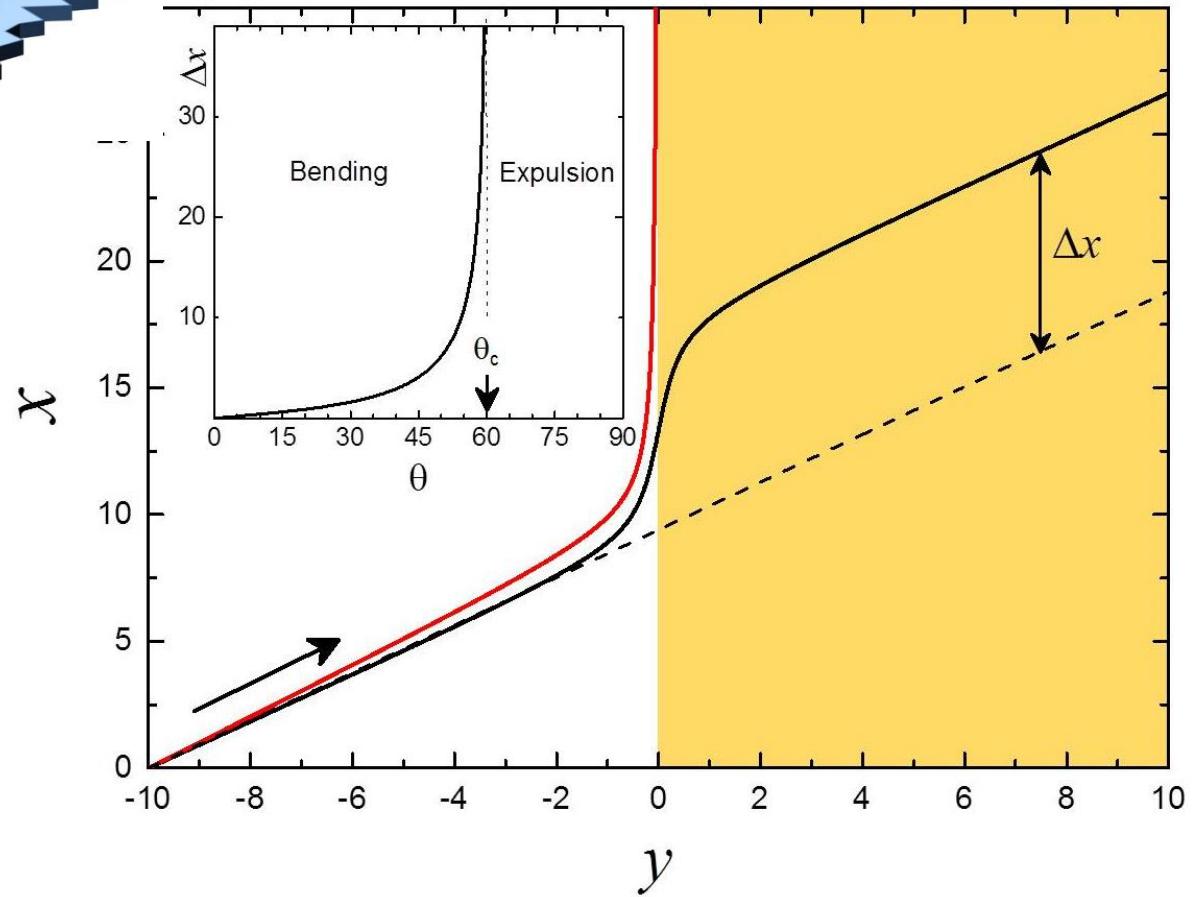
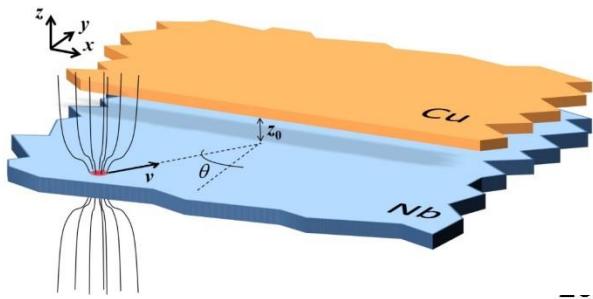
# Boundary effect



$$\mathbf{F}_{\text{lat}} = -C_m \left( \frac{1}{y^2 + z_0^2} + \frac{y}{(y^2 + z_0^2)^{3/2}} \right) \hat{y}.$$

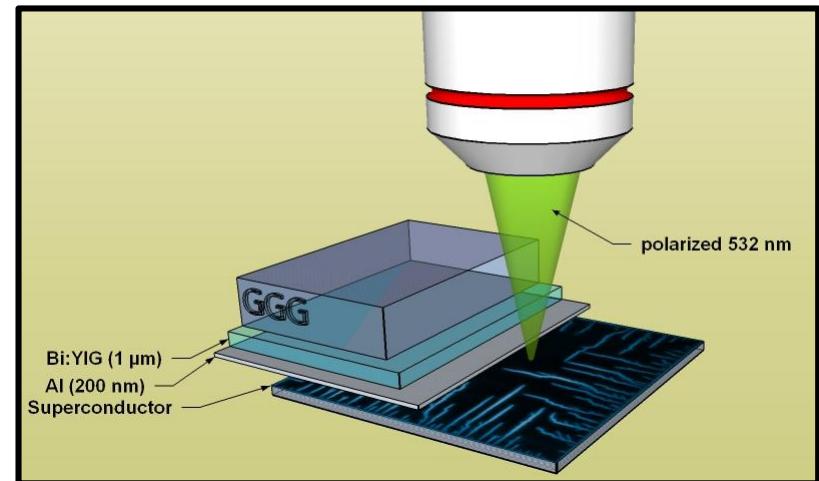
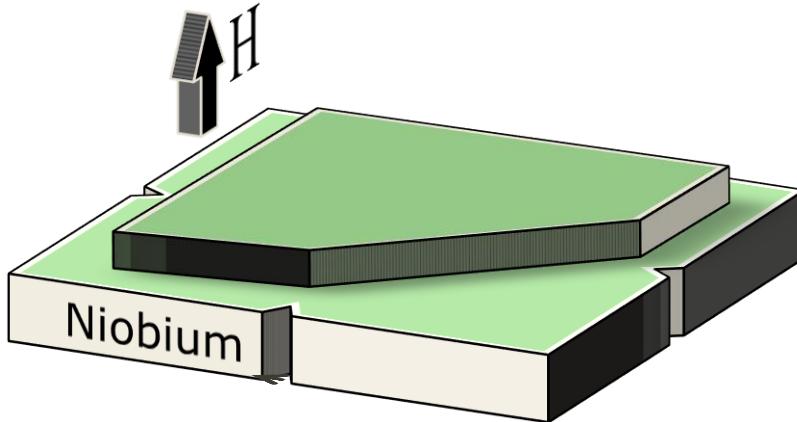


# Vortex trajectories

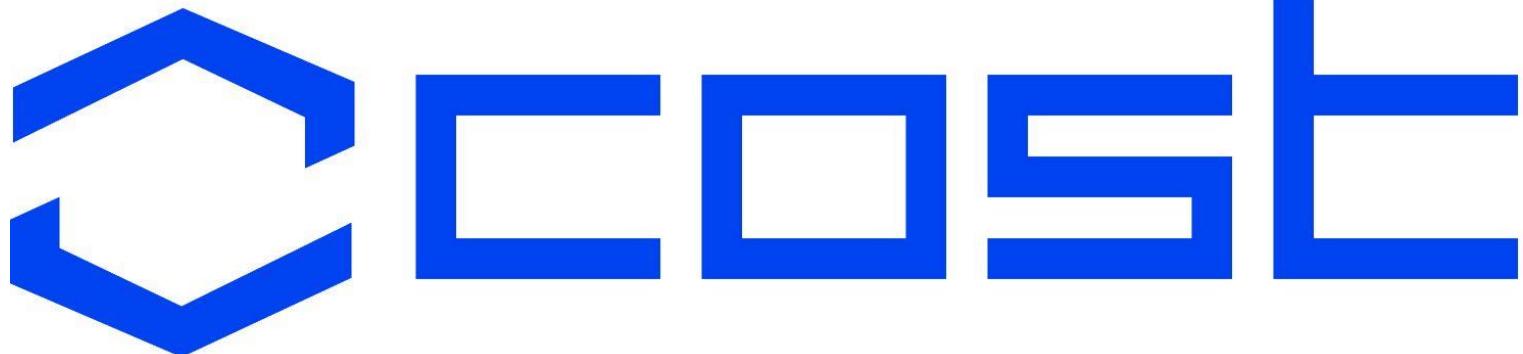


# Conclusion

- ✓ We are able to explain in classical terms the deflection of magnetic flux by a conducting layer
- ✓ Our classical analogy suggests a non-monotonous  $F_D(v)$  relation
- ✓ Typical MOI experiments need an Al mirror of about 200nm. Does this mirror influence the measurements?
- ✓ Next step: what about replacing the Cu layer by a superconducting film?
- ✓ How LO instabilities are affected by a metallic layer?



Thank you



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# Supplementary slides